

## TRANSIENT SCATTERING MEASUREMENTS

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There is considerable interest in accurate measurement of the transient scattering characteristics of complicated structures. This interest stems from the use of transient data in target discrimination schemes using the E/S pulse method and the future use of ultra-wide band radar in target detection and identification.

To achieve accurate transient measurements, the measurement system impulse response must be deconvolved from the raw measurements. For direct time domain measurements the deconvolution of the system response is difficult due to the limited dynamic range, stability, and power output of most measurement systems. One way around some of these difficulties is to perform the measurements in the frequency domain using an automated frequency-stepping vector network analyzer. The measurements are performed over a wide band of frequencies and the transient response is synthesized via the Inverse Fourier Transform. The resulting transient response is equivalent to the direct time domain measurement provided the system and target are linear and time invariant. Modern network analyzers however provide much greater dynamic range, power, and stability than most current time domain systems and allow for improved results when applying the deconvolution procedure.

This paper will discuss the calibration procedure used to remove clutter and the system impulse response from raw measurements. The effectiveness of frequency domain measurements in synthesizing transient target responses will be demonstrated using both a sphere and a thin wire as calibration standards. Theoretical results and direct time domain measurements corrected using a similar procedure will be presented to substantiate the synthesized transient responses for simple structures as well as several complicated targets.

# **Transient Scattering Measurements**

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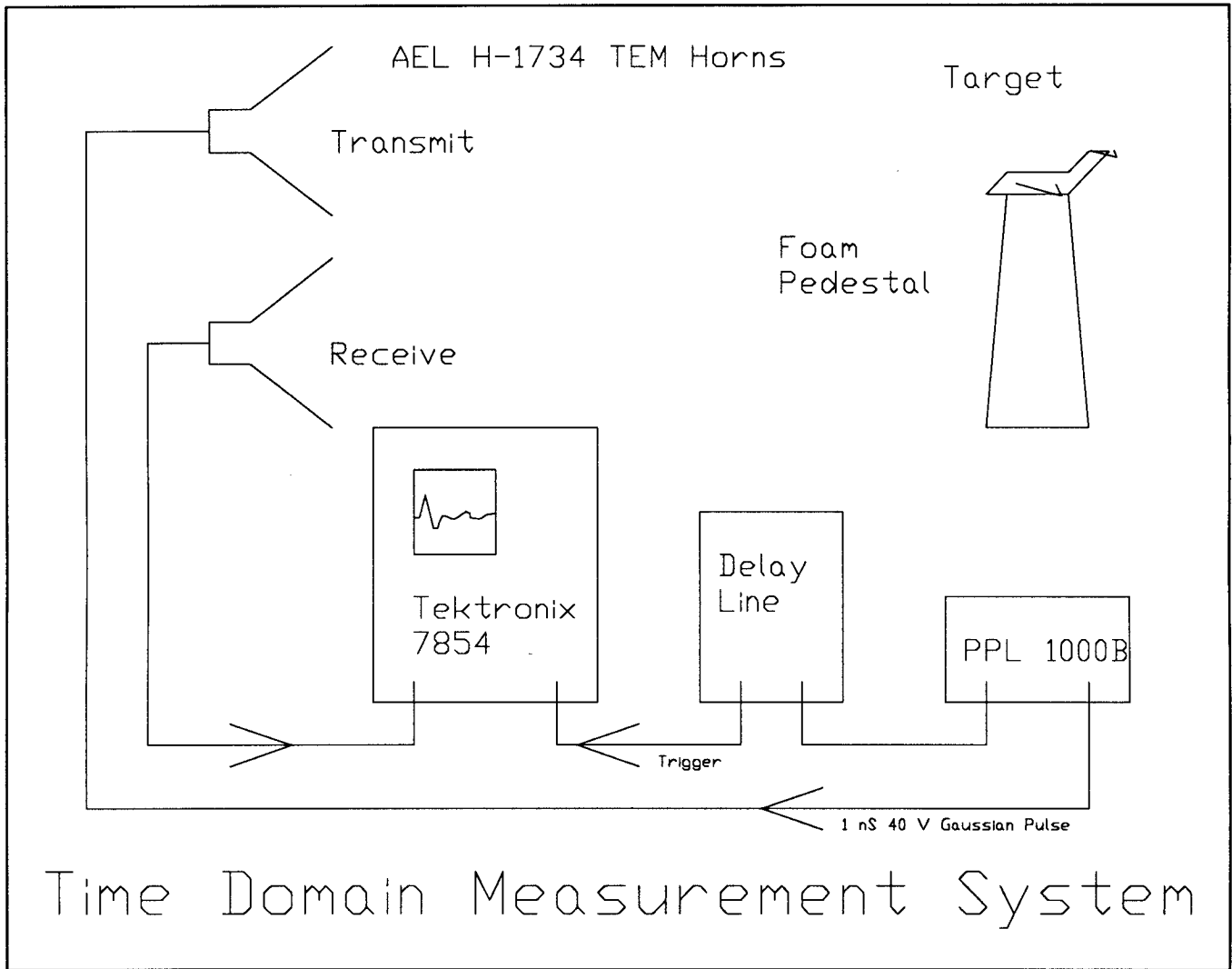
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## Overview

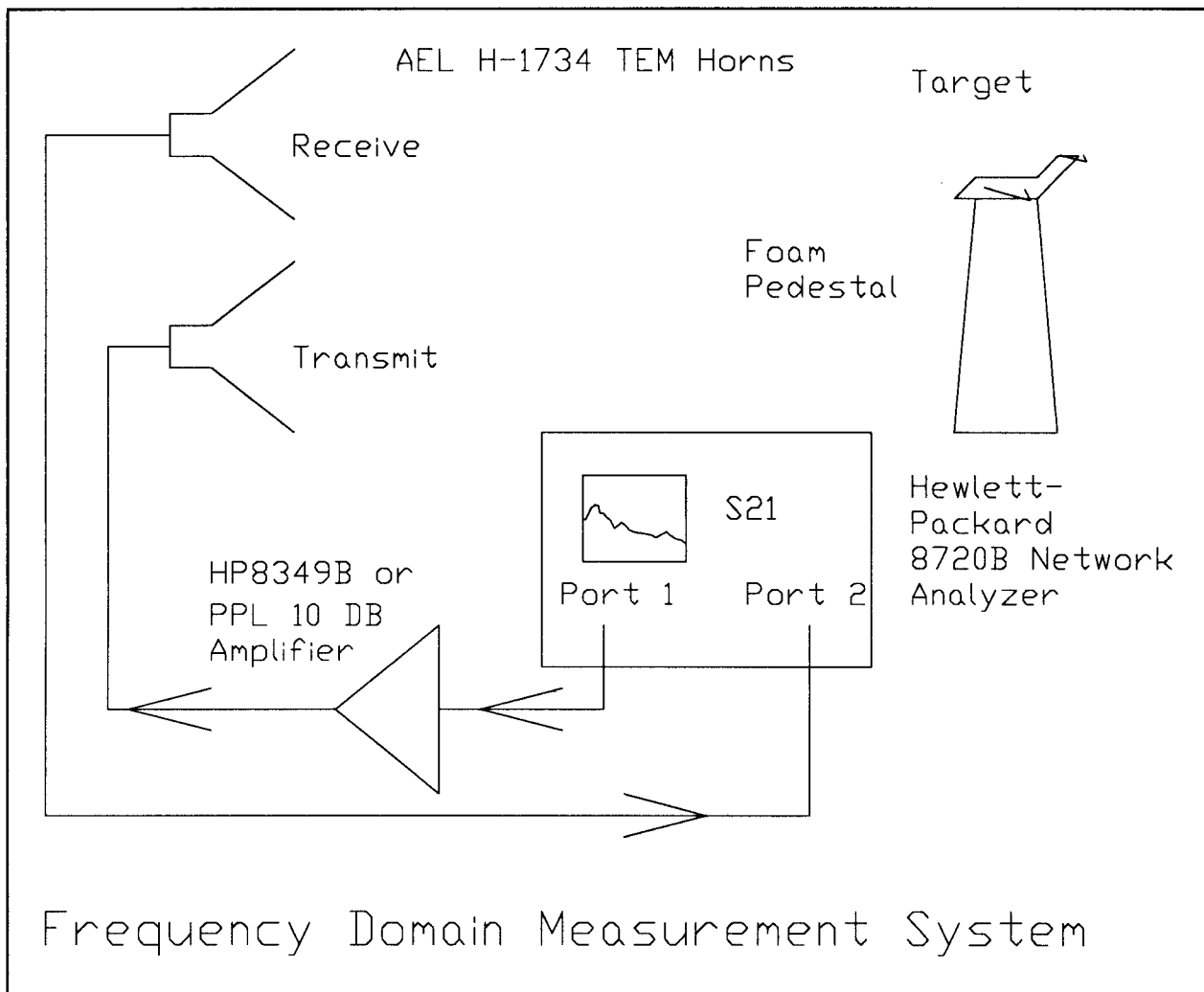
- Free-field transient scattering measurement configuration
- Block diagram representation of measurement system
- Calibration procedure
- Results

## Goals

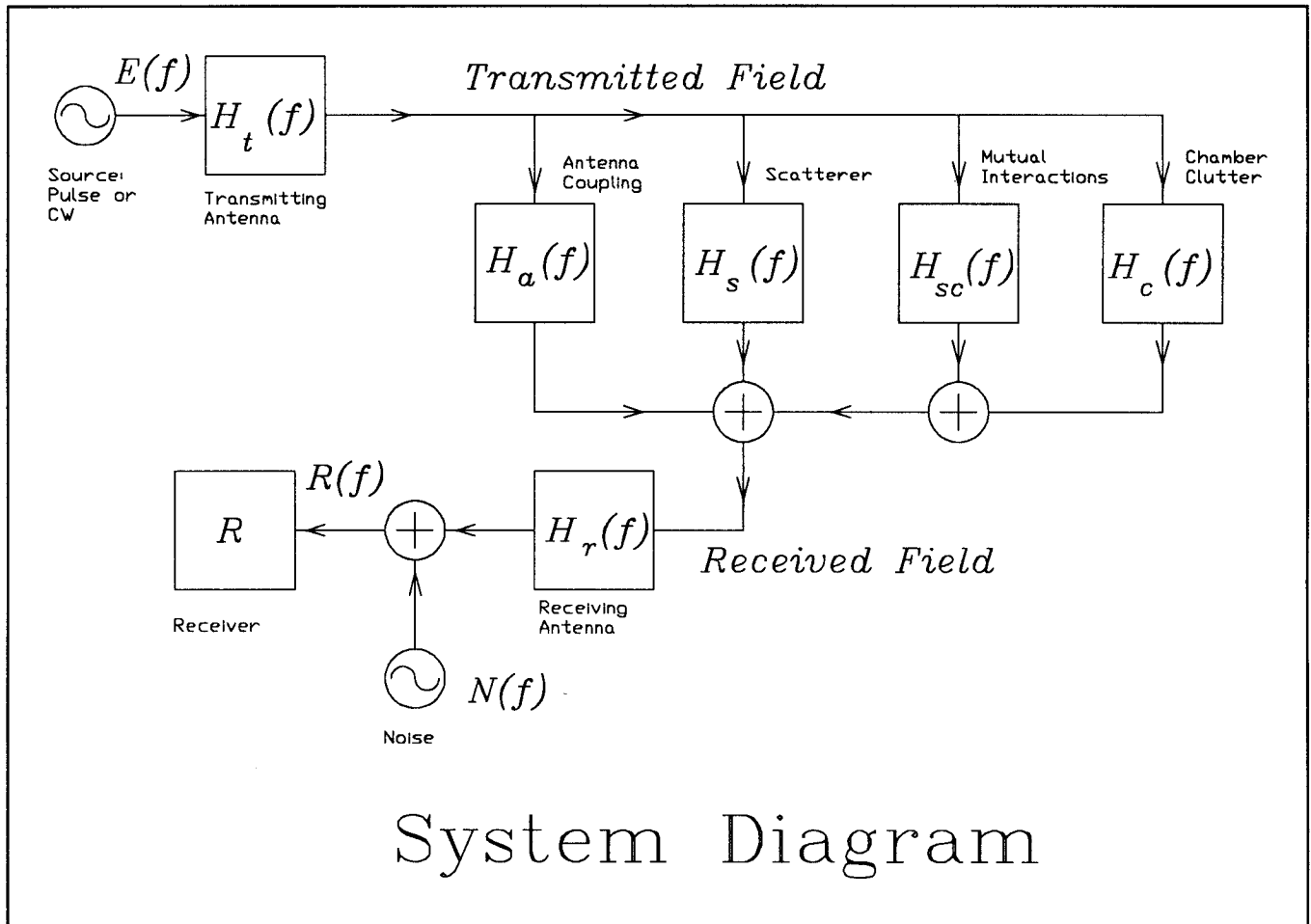
- Accurate transient measurements
- Enhanced late time information
  - Improved SEM mode extraction
  - Improved E/S-Pulse discrimination
- Early time information
  - Improved detection schemes
  - Additional discrimination information



- Extraneous reflections are easily removed
- Limited Dynamic Range (30 dB)
- Stability of oscilloscope & pulse generator is limited
- Pulse shape is not adjustable
- Distortion of transmit-receive system limits effectiveness of narrow pulses



- Extremely wide dynamic range (100 dB)
- Wide frequency sweep (130 MHz - 20 GHz); Hence, very short duration synthesized pulses
- Targets must be linear and time invariant
- Requires knowledge of the response of a known calibration target



## Calibration Procedure

- Measure empty chamber or ground plane (background measurement)

$$R^b(f) = S(f) \{H_a(f) + H_c(f)\} + N^b(f)$$

where  $S(f)$  is system transfer function defined as,

$$S(f) = H_r(f) H_t(f) E(f)$$

- Measure known calibration target

$$R^{c+b}(f) = S(f) \{ H_a(f) + H_c(f) + H_s^c(f) + H_{sc}^c(f) \} + N^{c+b}(f)$$

where,

$H_s^c(f)$  = calibrator transfer function (known!)

$H_{sc}^c(f)$  = calibrator to chamber transfer function; causal in time domain

- Measure desired target

$$R^{t+b}(f) = S(f) \{ H_a(f) + H_c(f) + H_s^t(f) + H_{sc}^t(f) \} + N^{t+b}(f)$$

where,

$H_s^t(f)$  = target transfer function

$H_{sc}^t(f)$  = target to chamber transfer function; causal in time domain

- Subtract background measurement from cal target and desired target measurements

$$R^c(f) = R^{c+b}(f) - R^b(f)$$

$$R^t(f) = R^{t+b}(f) - R^b(f)$$

So,

$$R^c(f) = S(f) \{ H_s^c(f) + H_{sc}^c(f) \} + N^c(f)$$

$$R^t(f) = S(f) \{ H_s^t(f) + H_{sc}^t(f) \} + N^t(f)$$

where,

$$N^c(f) = N^{c+b}(f) - N^b(f)$$

$$N^t(f) = N^{t+b}(f) - N^b(f)$$

Problem : Interaction terms preclude proper evaluation of  $S(f)$  and target transfer function

Option 1. Assume interaction terms are small and neglect noise.

$$R^c(f) = S(f)H_s^c(f)$$

$$R^t(f) = S(f)H_s^t(f)$$

- Solve for  $S(f)$

$$S(f) = \frac{R^c(f)}{H_s^c(f)}$$

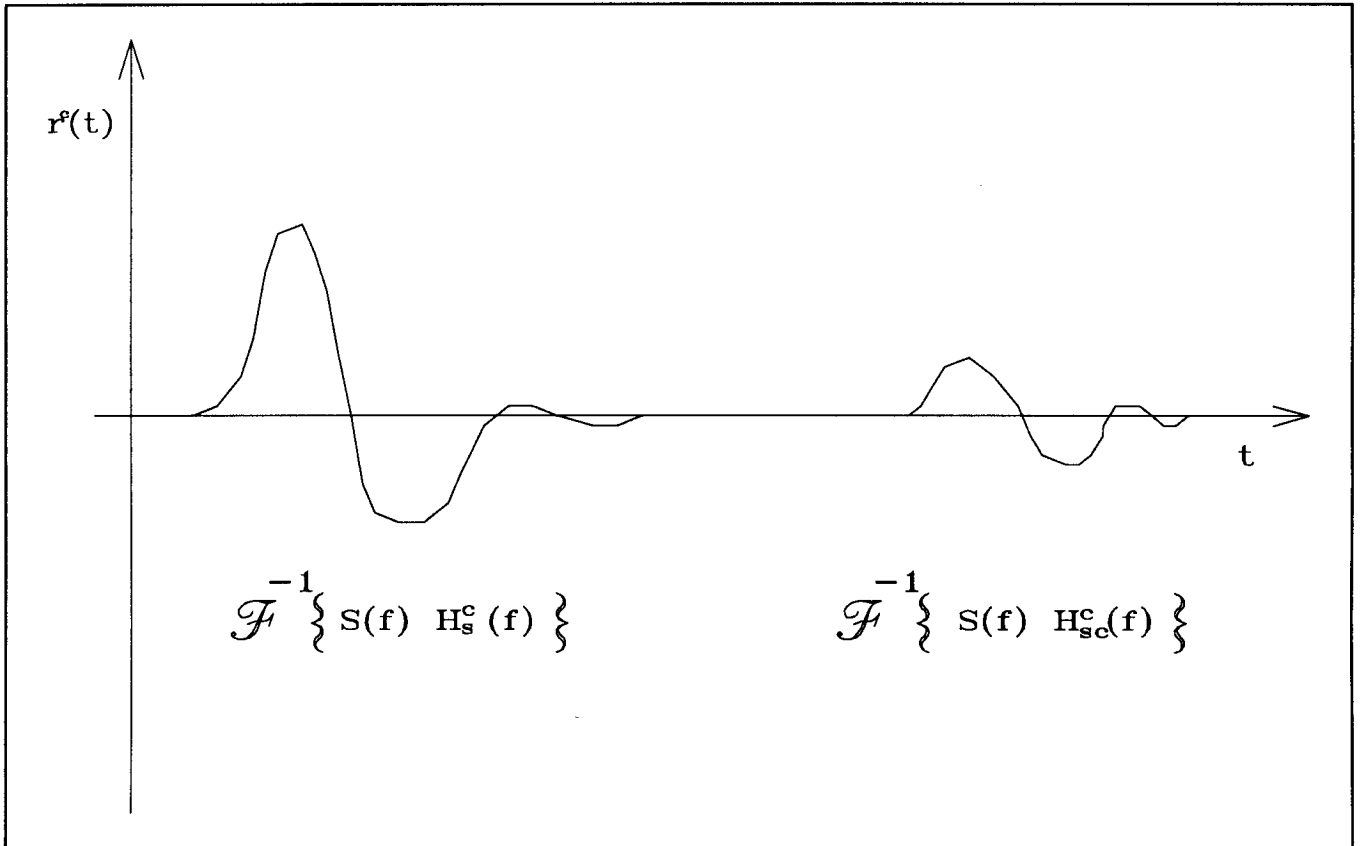
- Compute target transfer function.

$$H_s^t(f) = \frac{R^t(f)}{S(f)}$$

Option 2. Transform  $R^c(f)$  to time domain and use windowing to eliminate causal interaction term. Neglect noise terms.

- Define time response of  $R^c(f)$  measurement

$$r^c(t) = \mathcal{F}^{-1}\{R^c(f)\}$$



- Multiply  $r^c(t)$  by window function  $w(t)$  to exclude interaction

$$r^{cw}(t) = r^c(t) w(t)$$

- If  $\mathcal{F}^{-1}\{S(f) H_s^c(f)\}$  is time limited and not truncated by  $w(t)$  then,

$$R^{cw}(f) = S(f) H_s^c(f)$$

- Solve for  $S(f)$

$$S(f) = \frac{R^{cw}(f)}{H_s^c(f)}$$

Thus,

$$H_s^t(f) + H_{sc}^t(f) = \frac{R^t(f)}{S(f)}$$

- Apply Inverse Fourier Transform.

$$h_s^t(t) + h_{sc}^t(t) = \mathcal{F}^{-1}\left\{\frac{R^t(f)}{S(f)}\right\}$$

- Target impulse response is approximately time limited.
- Interaction term is causal and delayed, Therefore, target impulse response unaffected

## Results

### ● Theoretical Models for Canonical Results

- Thin Wires - frequency domain moment-method  
piece-wise sinusoidal basis functions  
Galerkin method  
thin-wire approximation
- Spheres - Mie series

### ● Typical Experimental Configurations

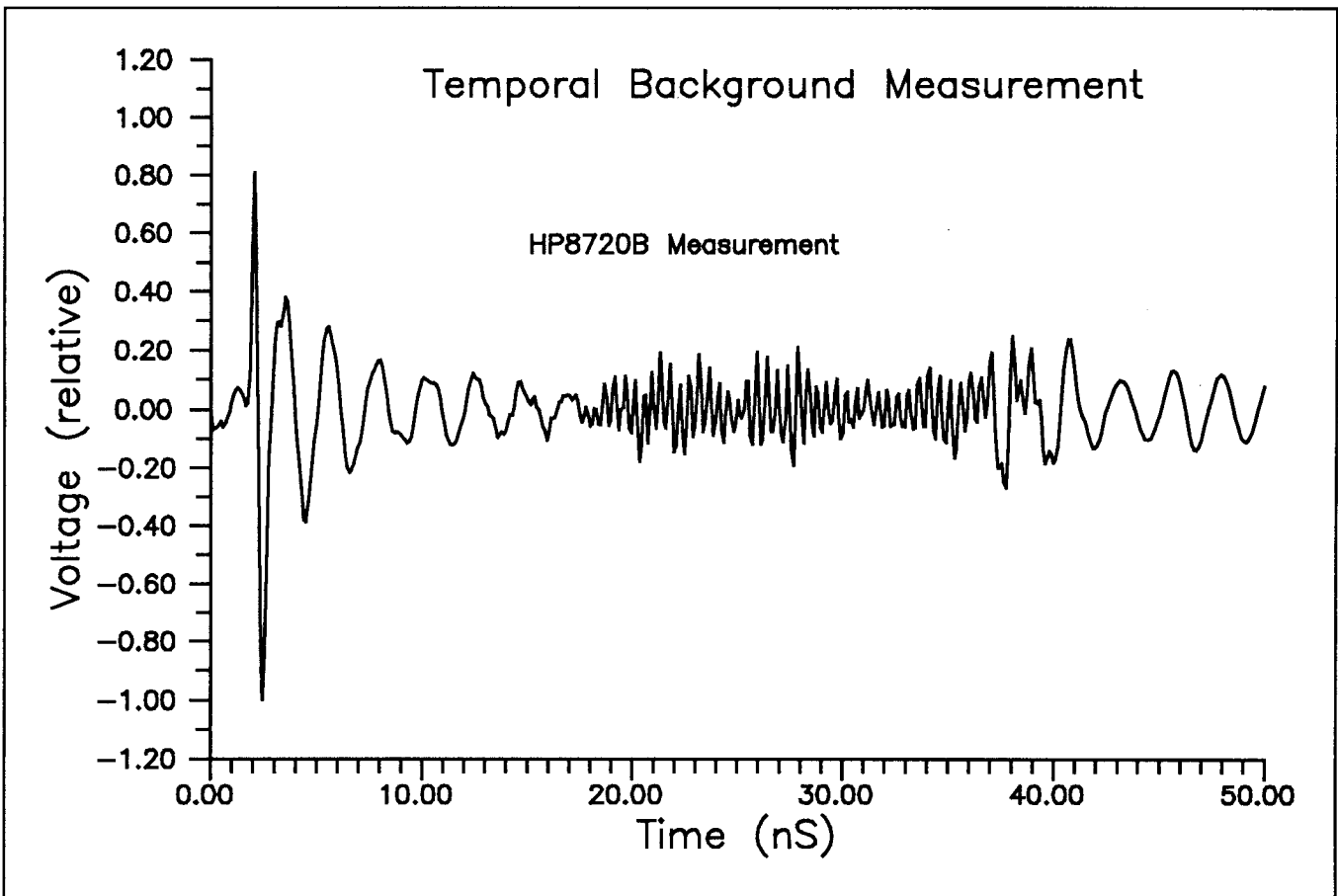
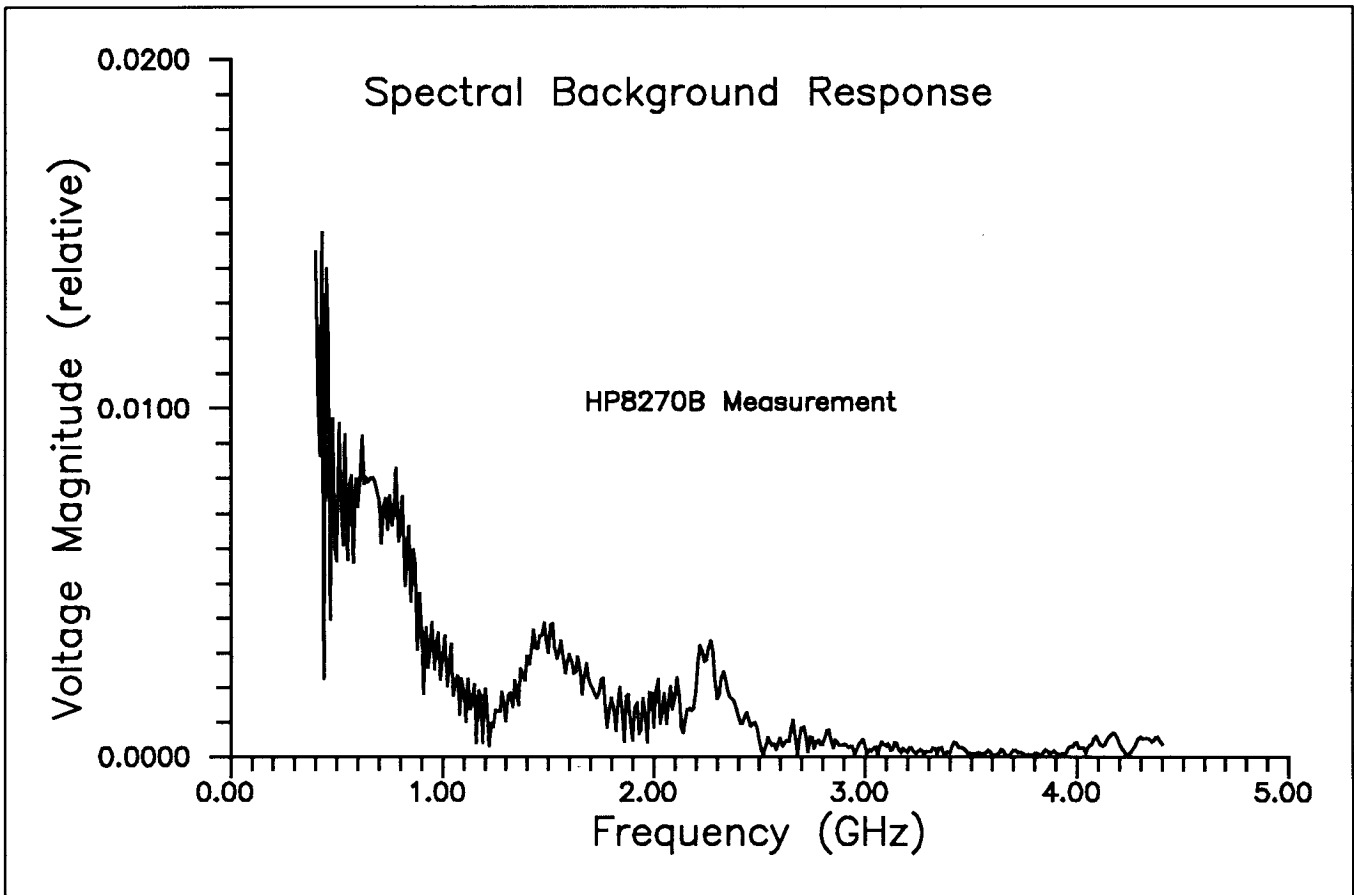
#### Low Band - (PPL Amplifier)

Sweep Range : 0.4-4.4 GHz  
Number of Points : 401  
IF Bandwidth : 30 Hz  
Averaging Factor : 10  
Output Power : -10 dBm ( $\approx$  0 dBm with amp)  
Window Function : Double Gaussian

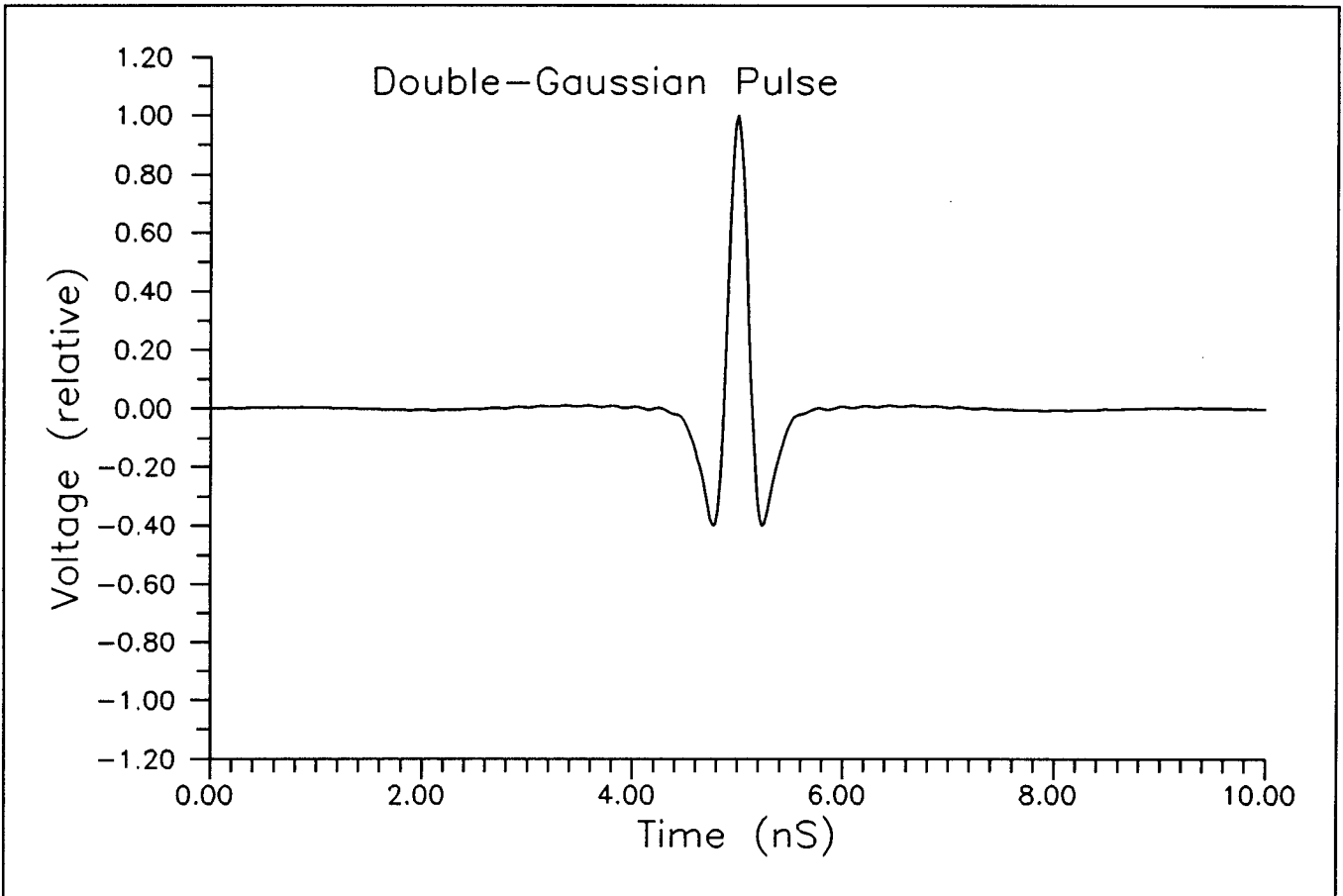
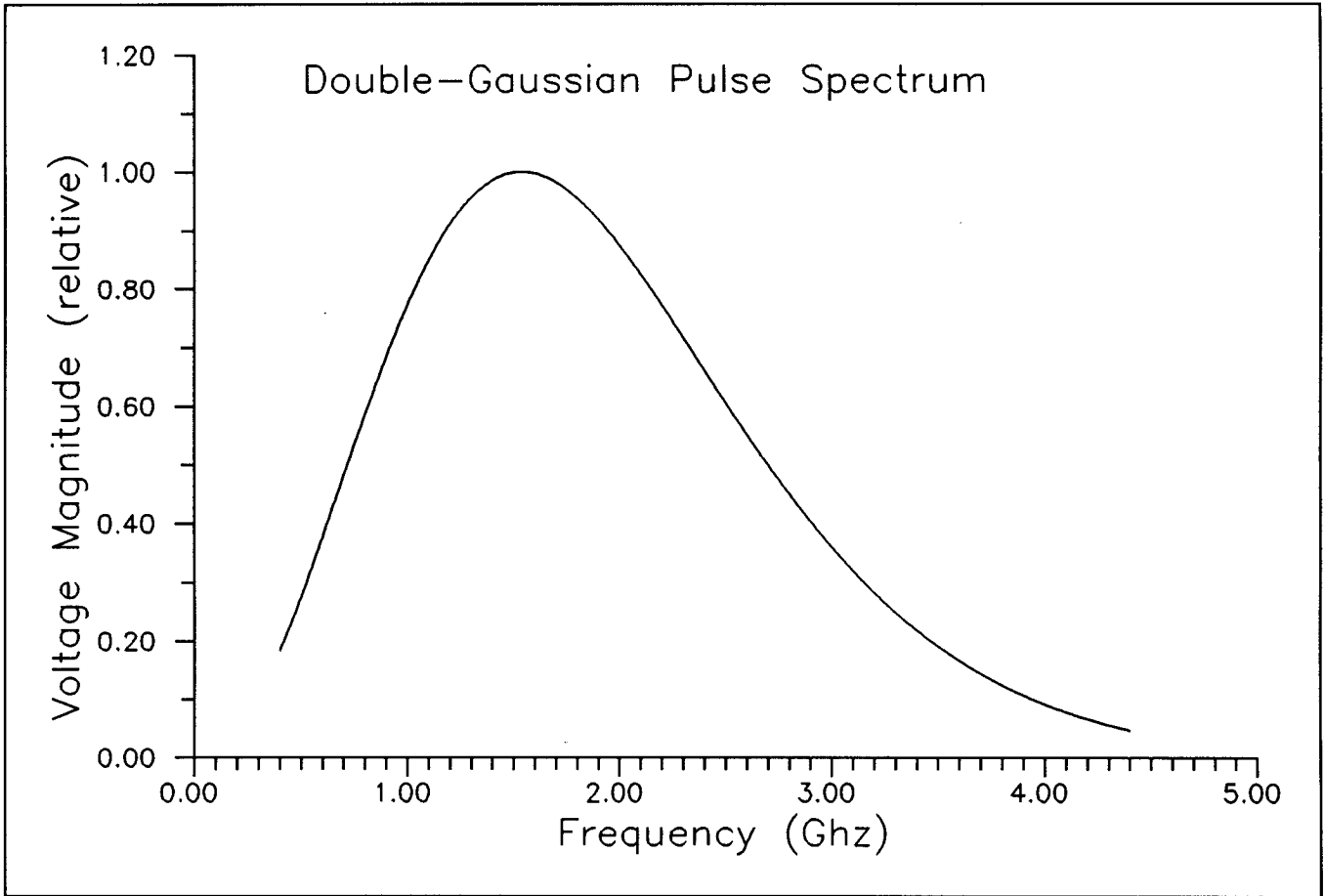
#### High Band - (HP8439B Amplifier)

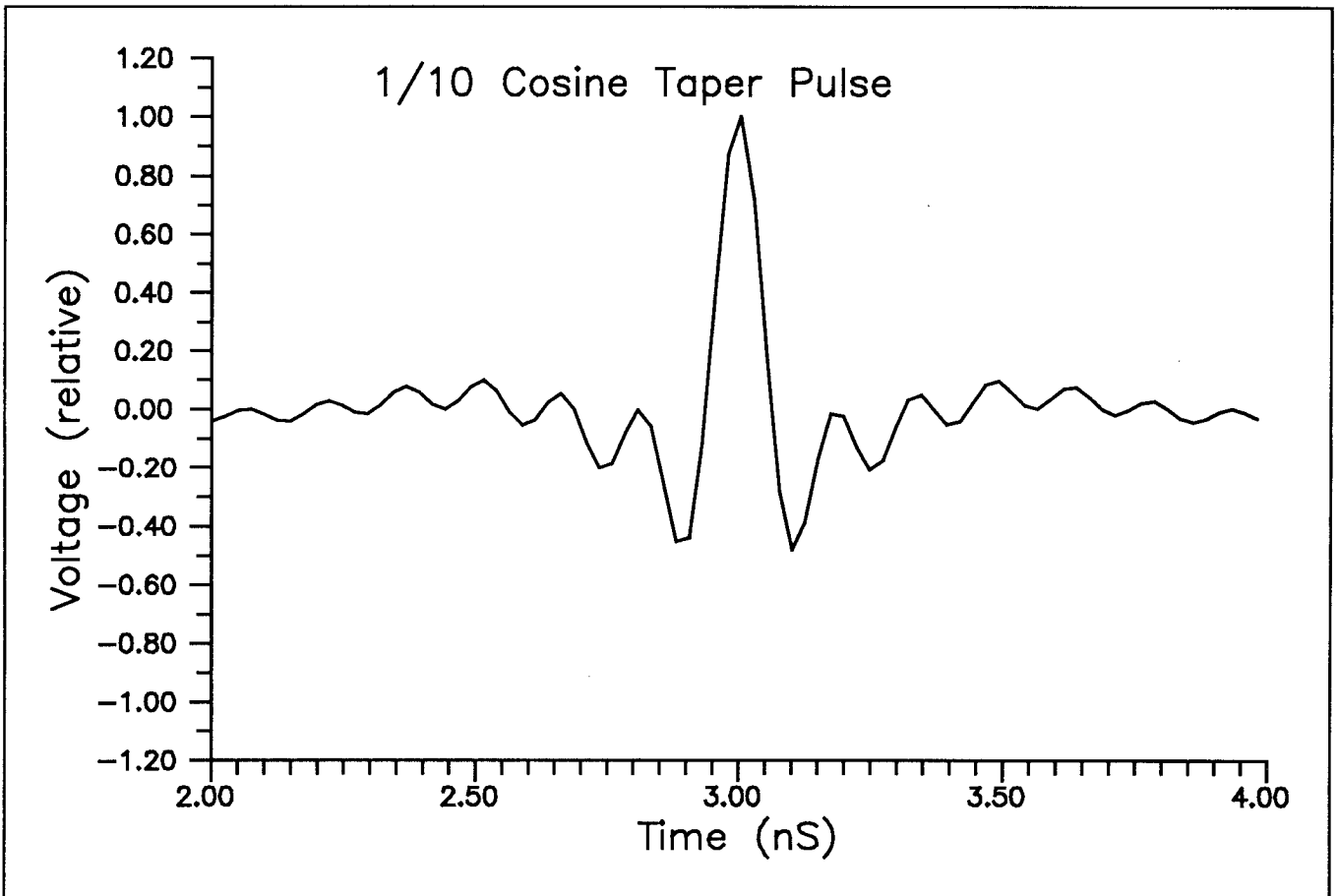
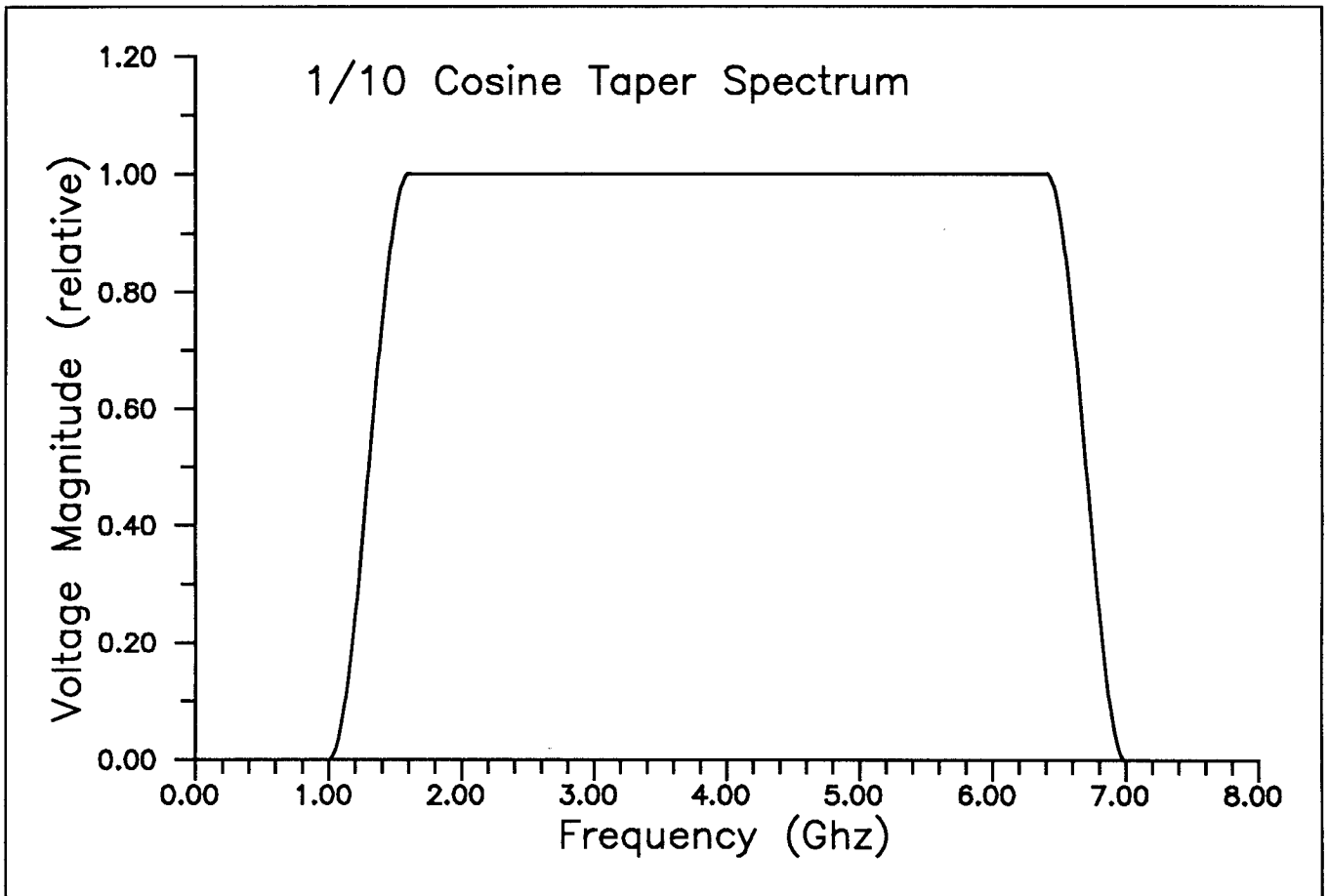
Sweep Range : 1.0 - 9.0 GHz  
Number of Points : 801  
IF Bandwidth : 30 Hz  
Averaging Factor : 10  
Output Power : -10 dBm ( $\approx$  +15 dBm with amp)  
Window Function : 1/10 cosine taper (1.0 - 7.0 GHz)

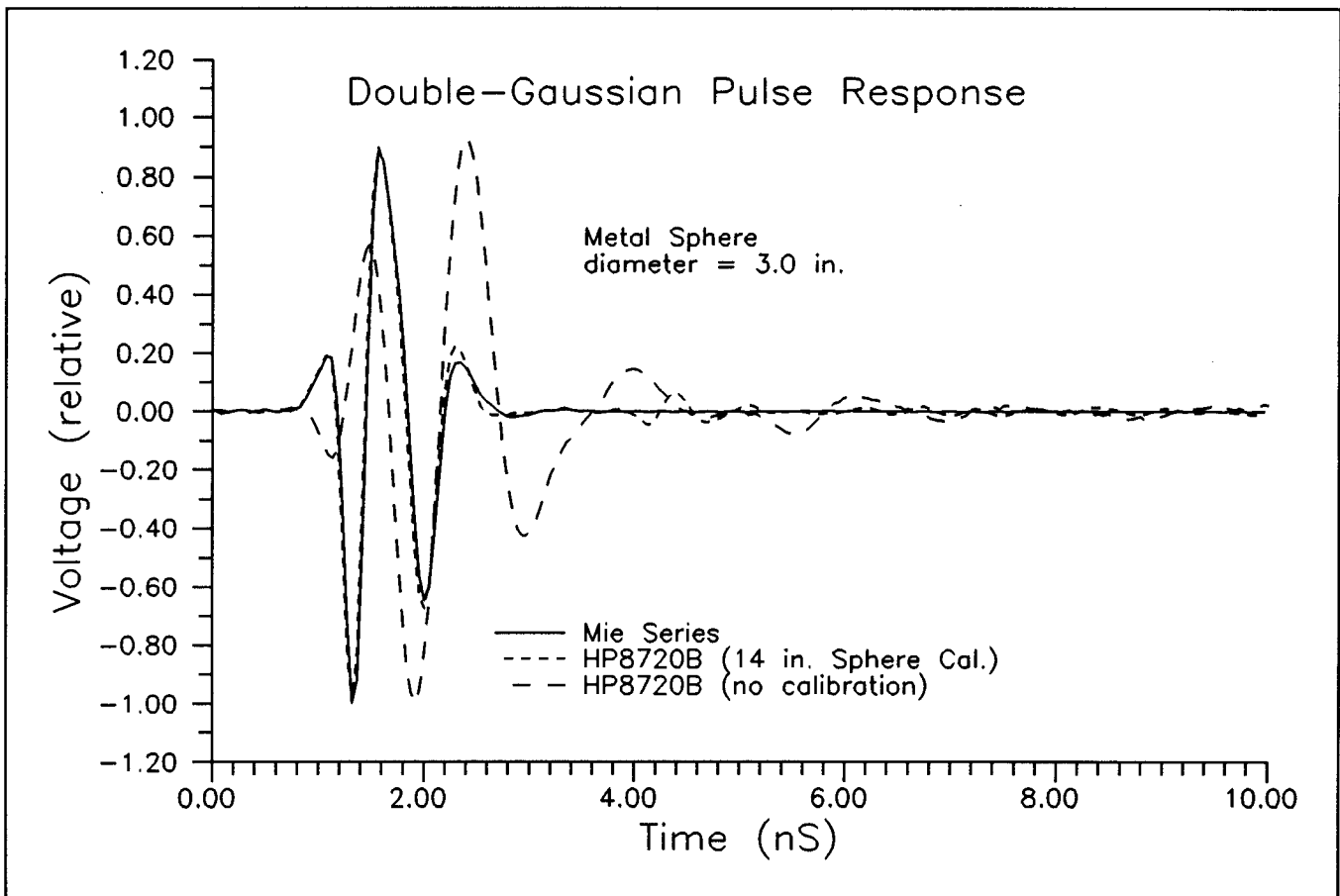
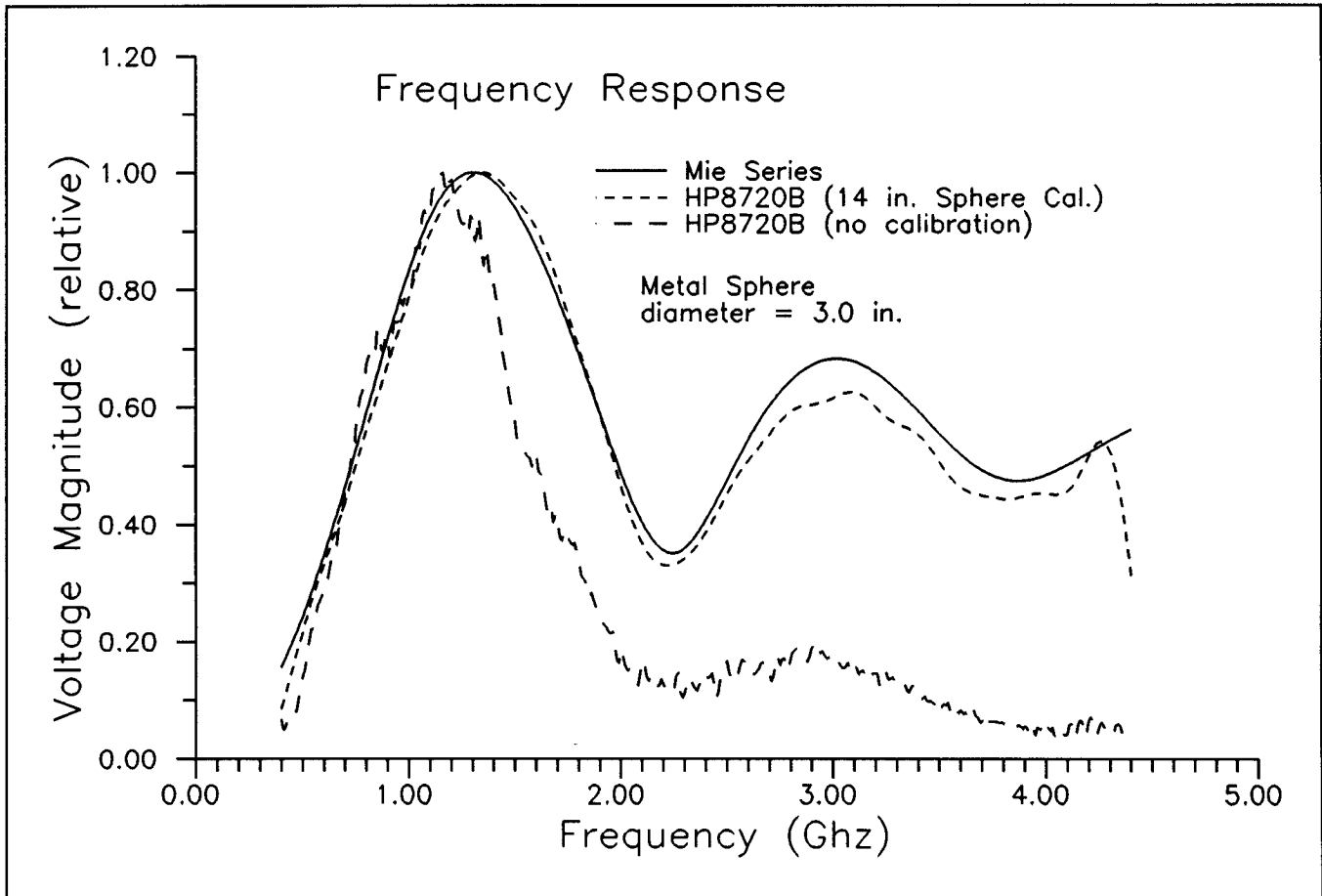
# **SYSTEM CHARACTERISTICS**

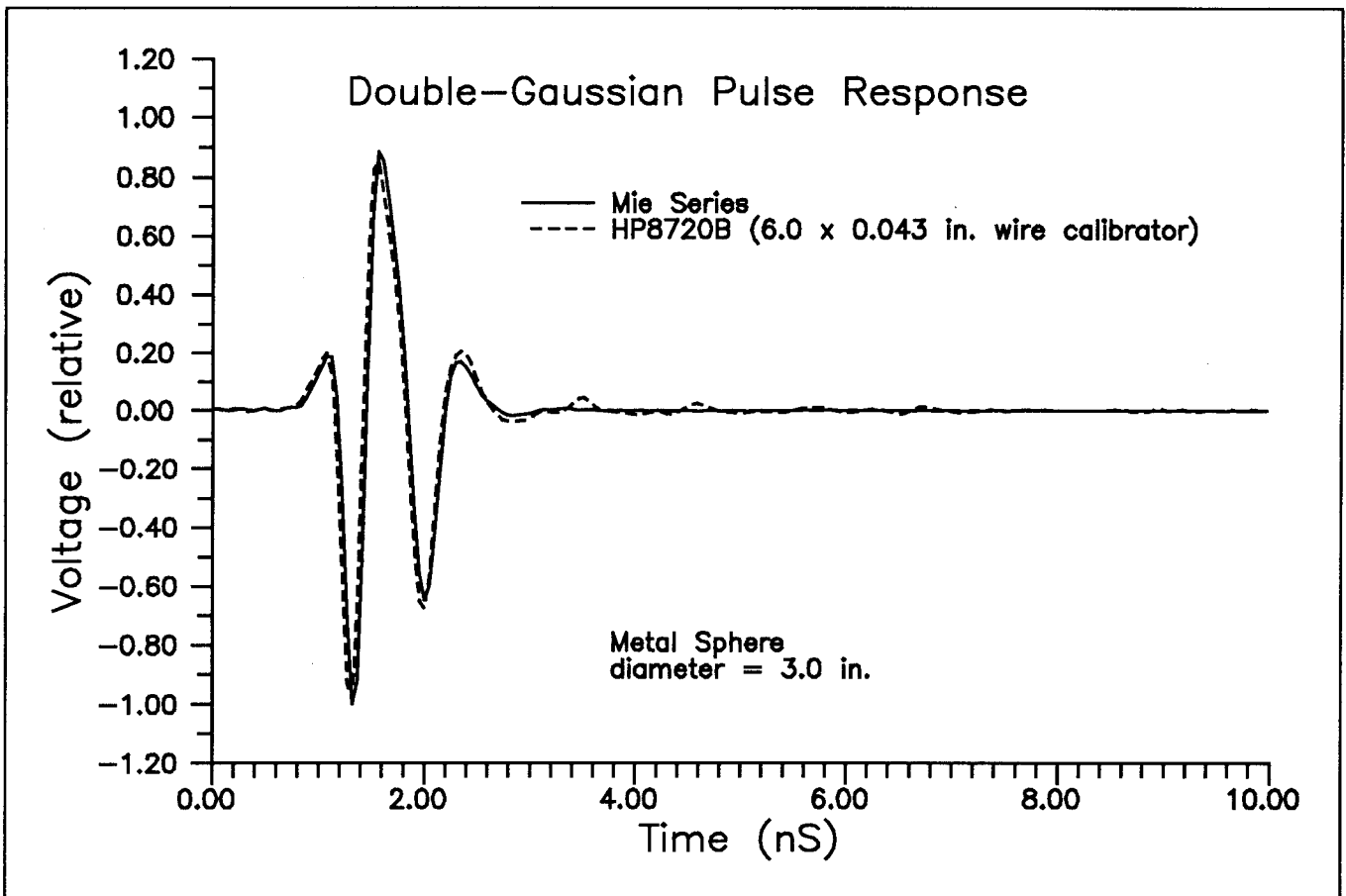
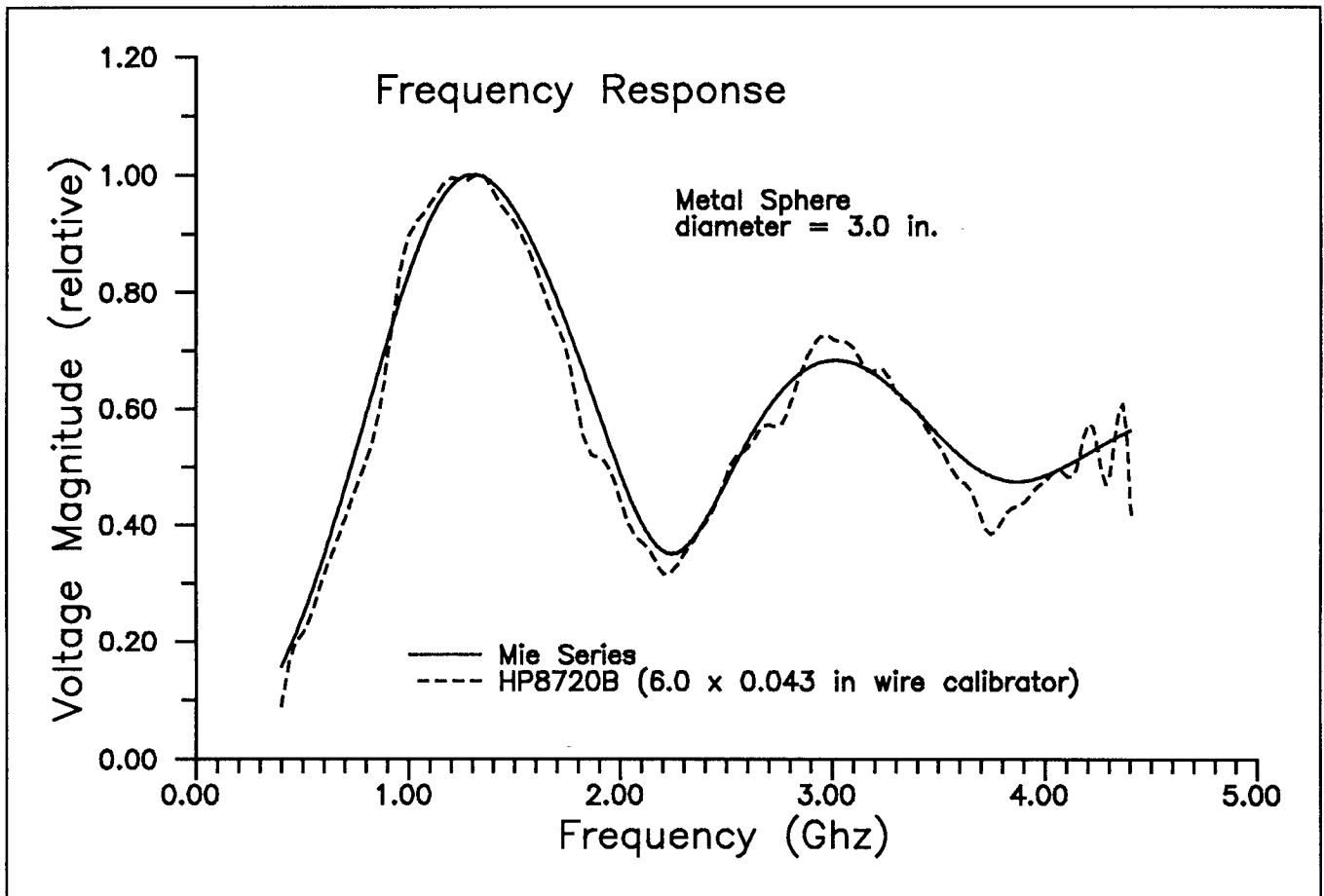


# **CANONICAL TARGET RESPONSES**

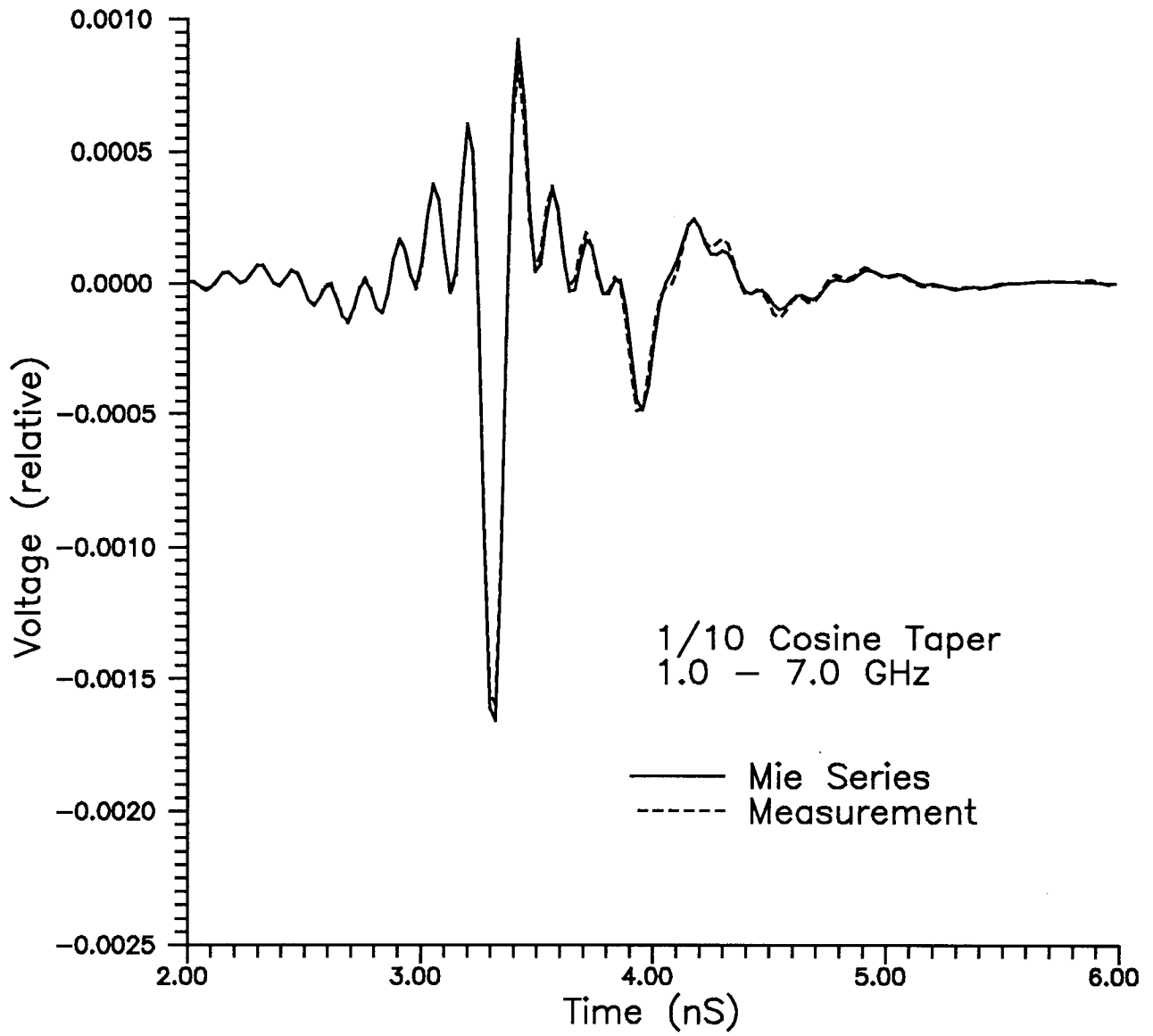


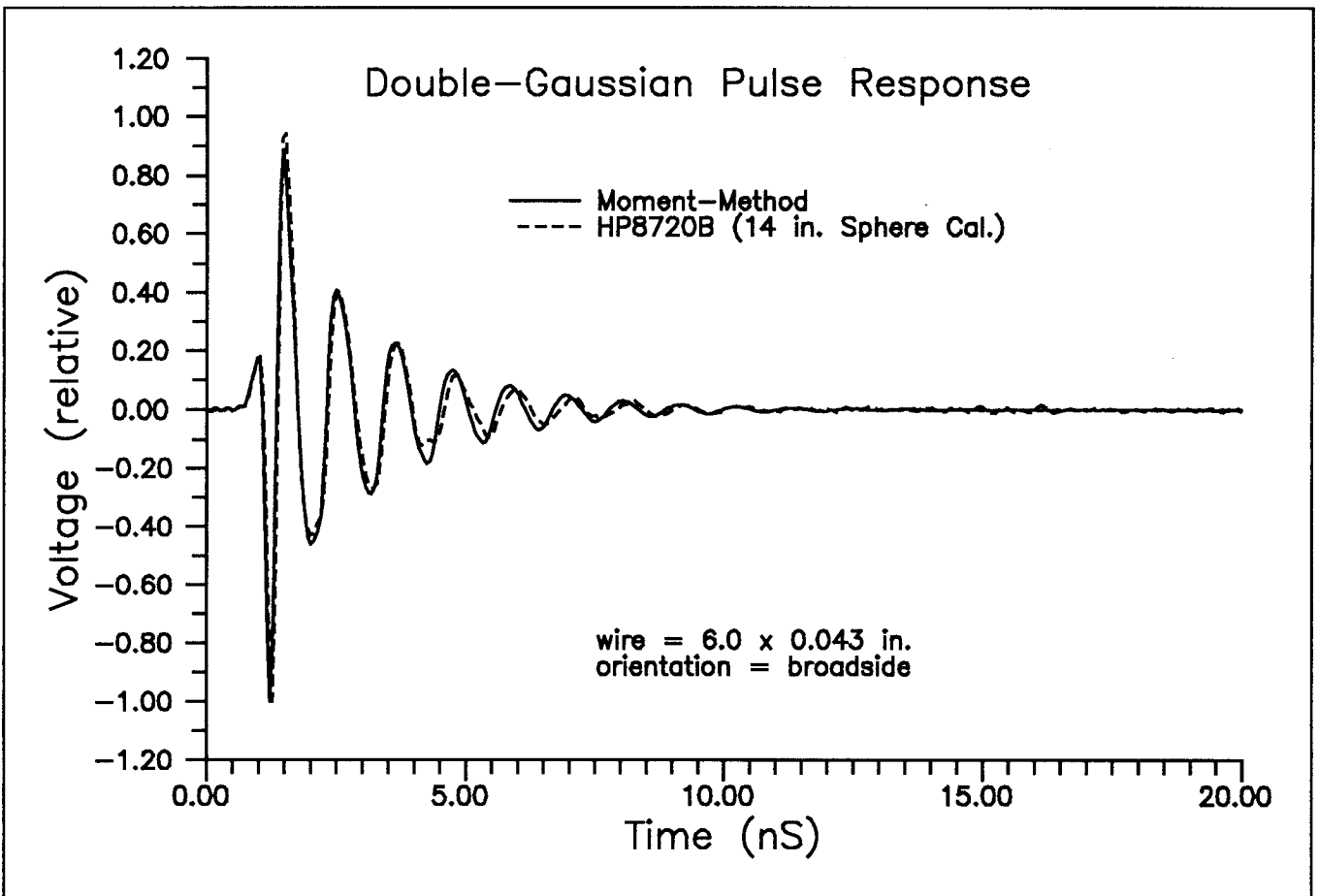
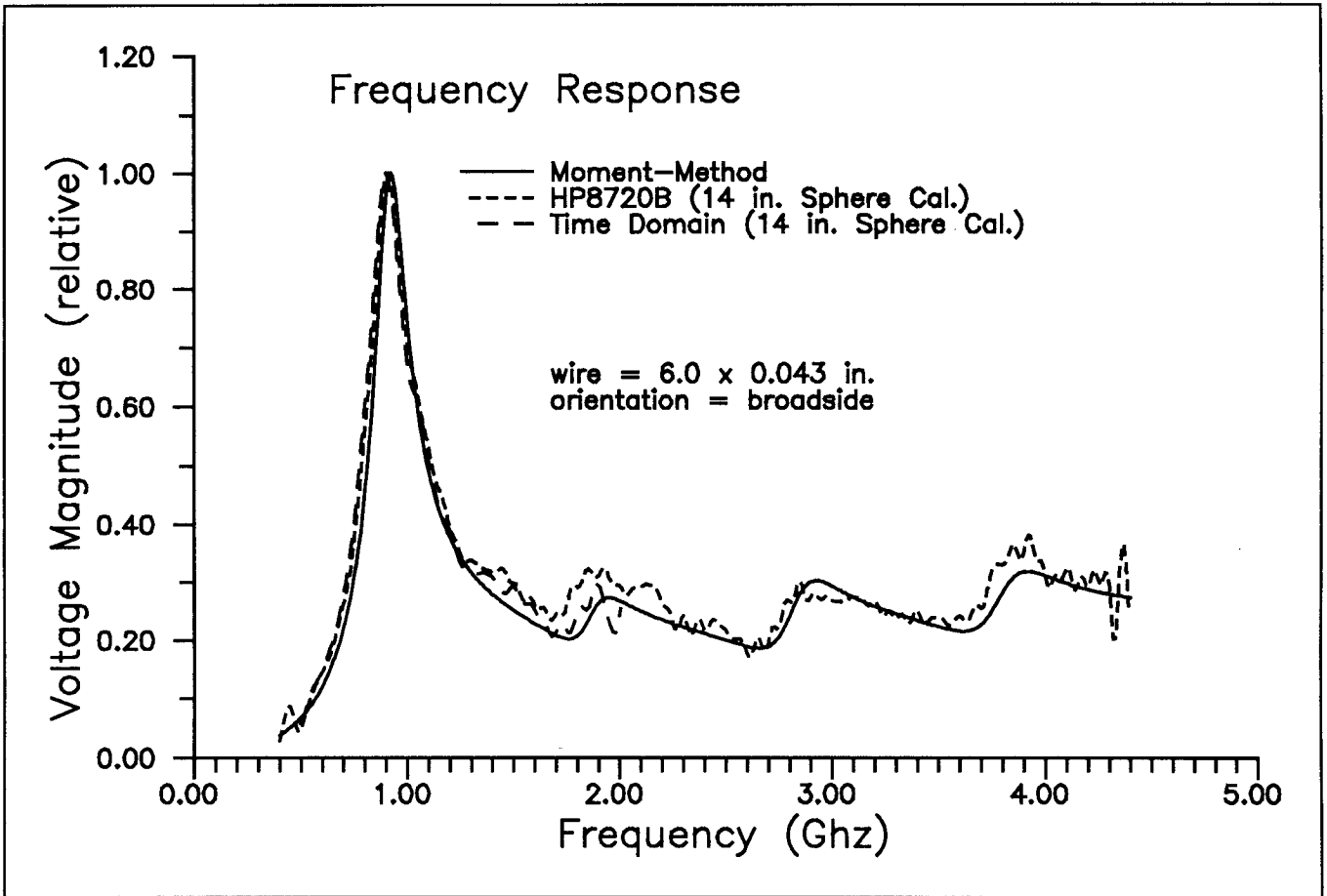


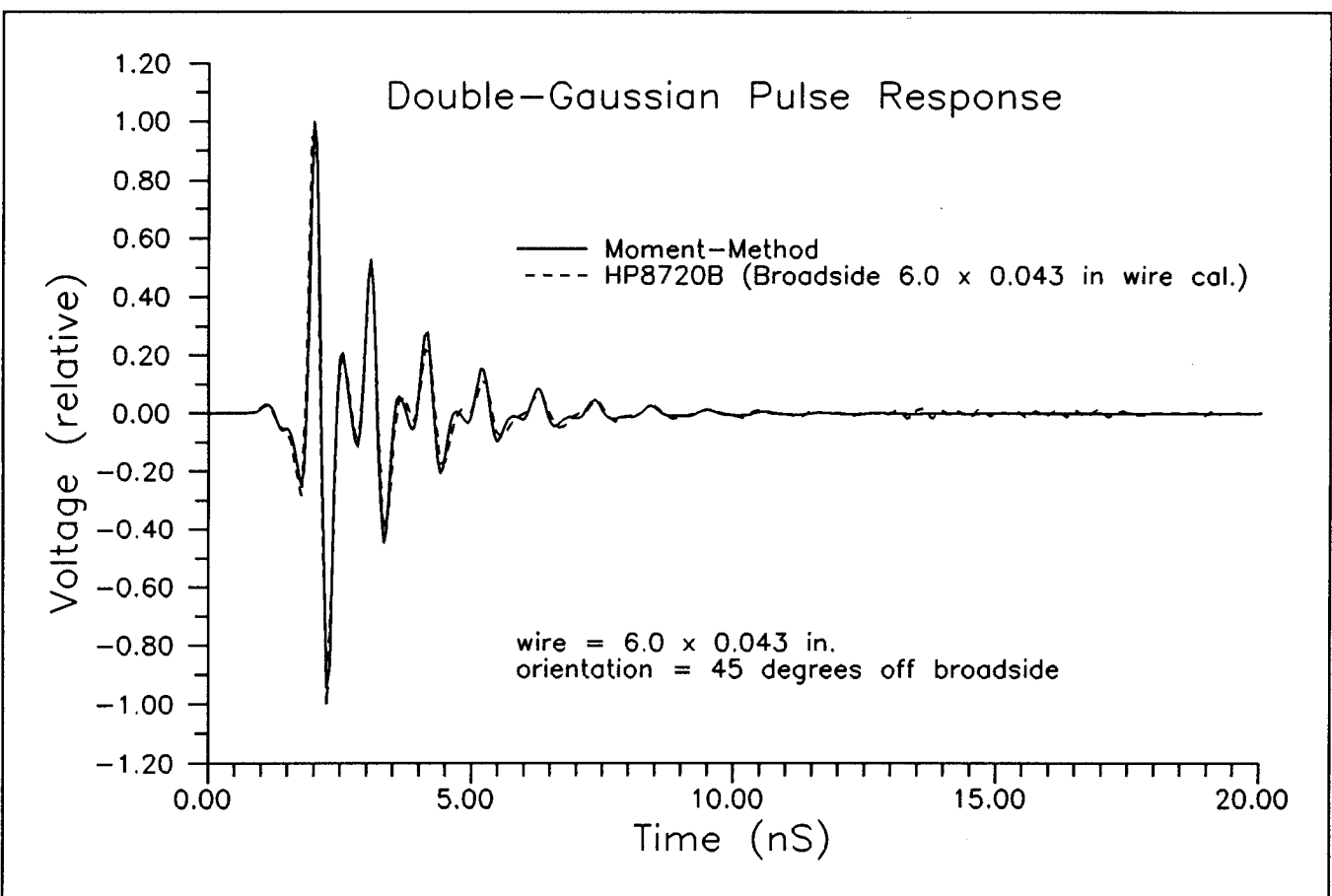
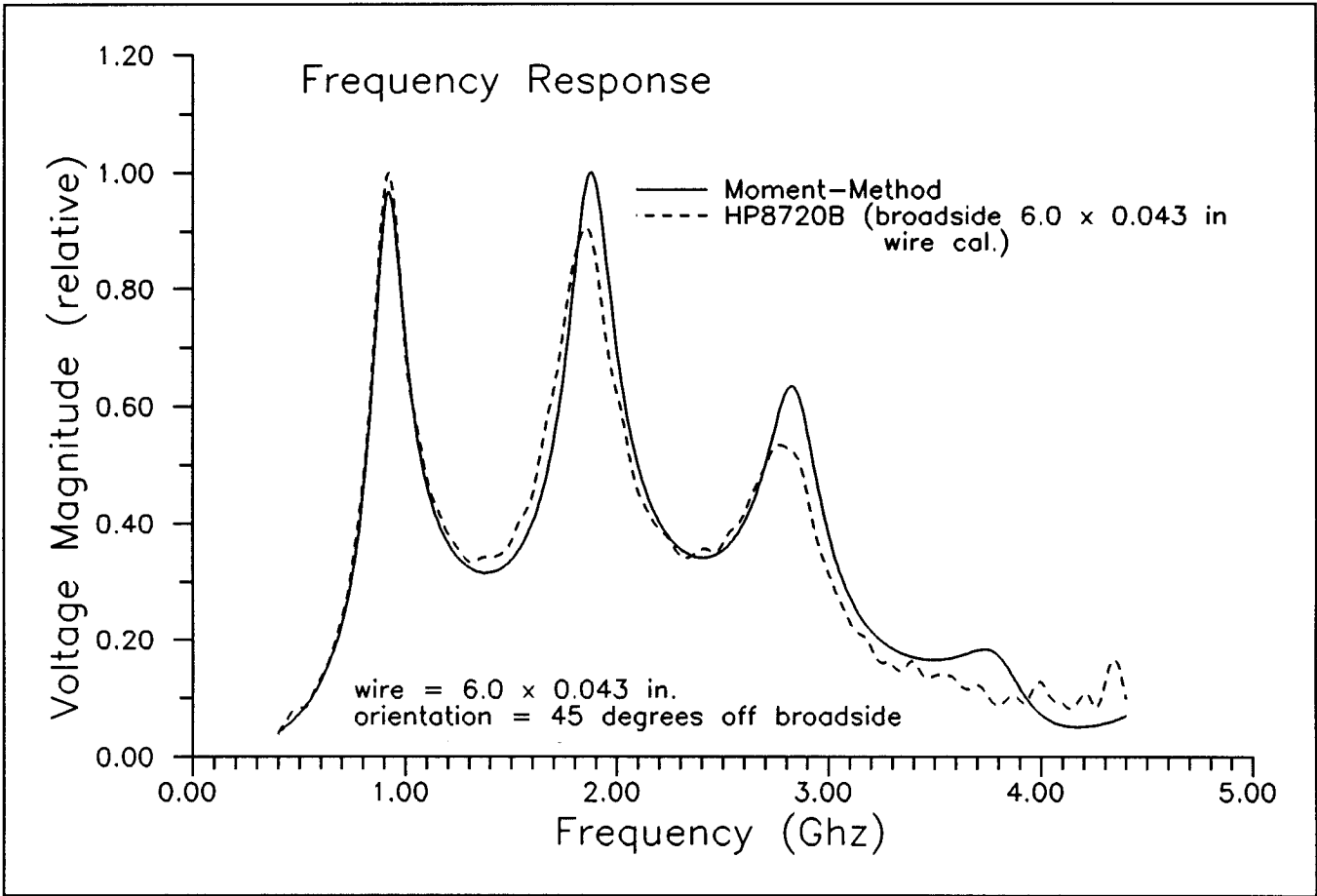




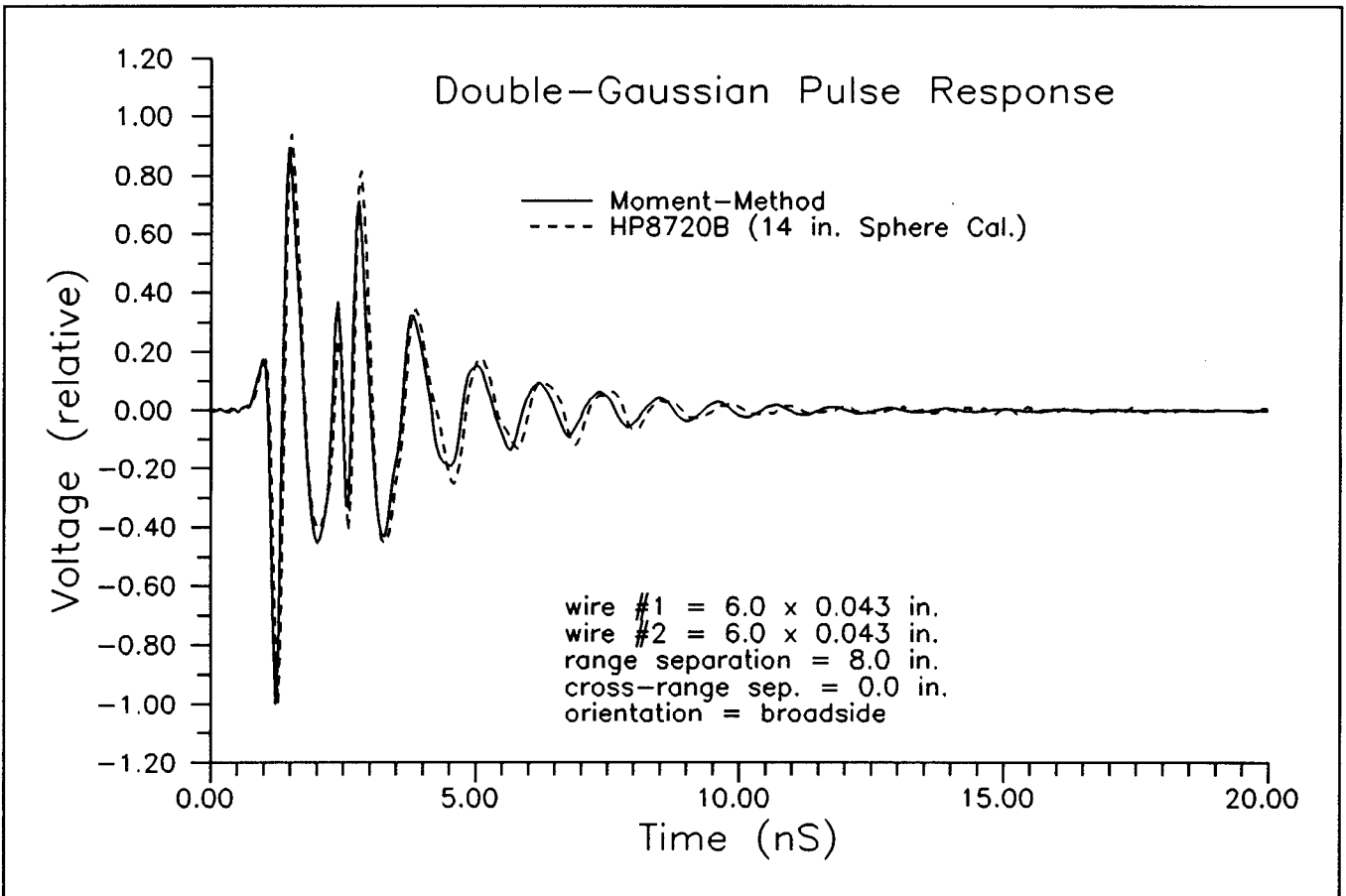
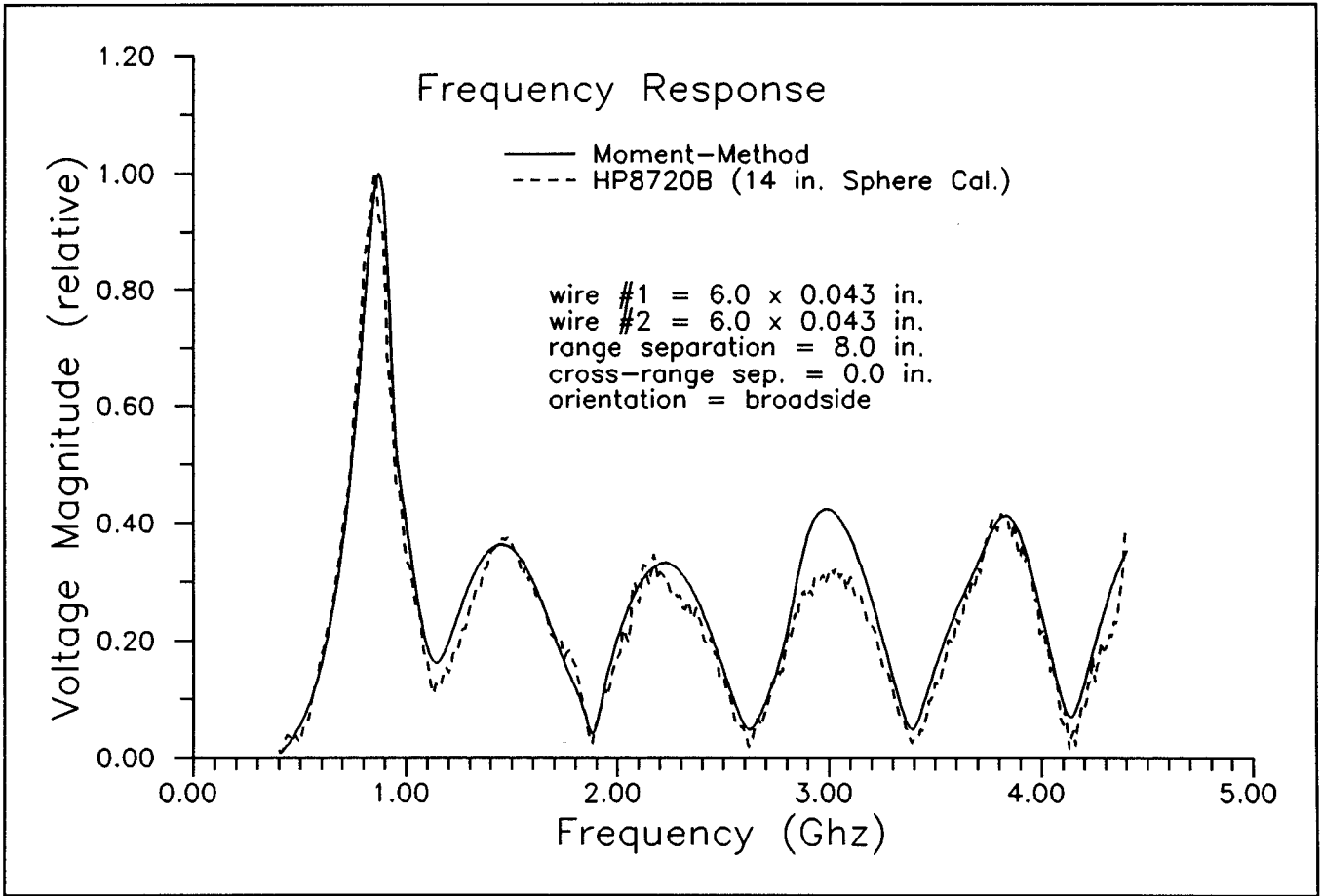
Metal Sphere (3 inch diameter)

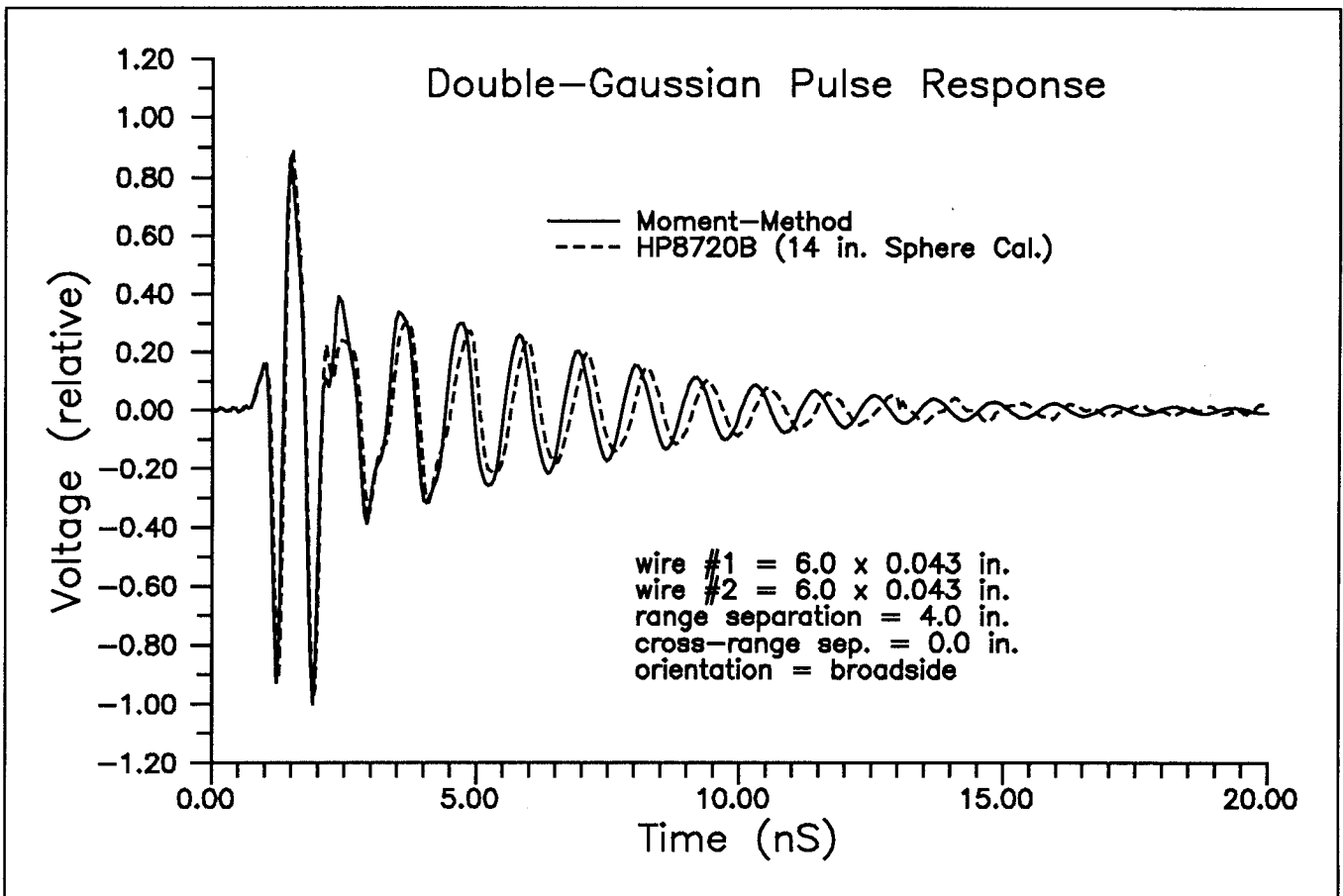
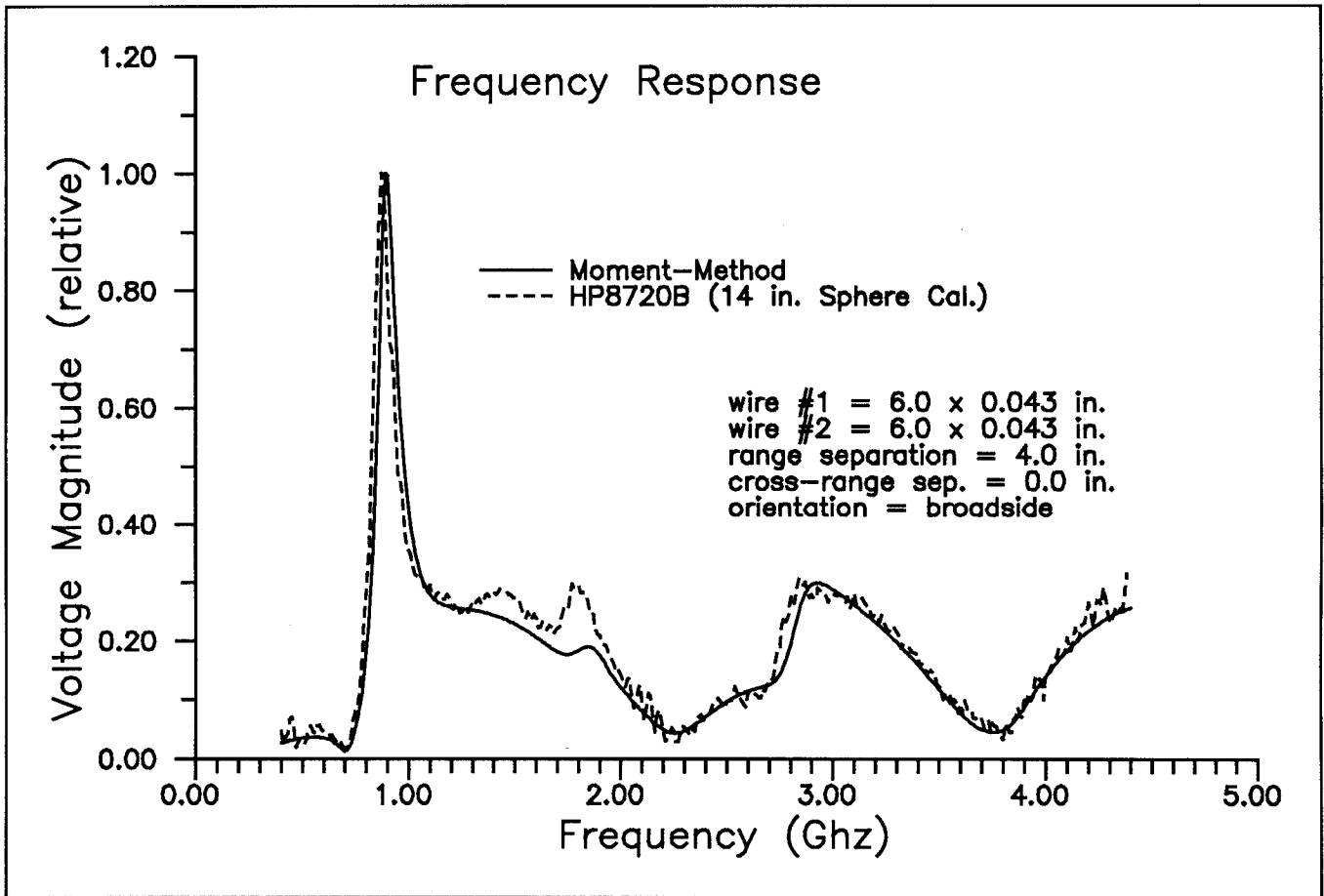


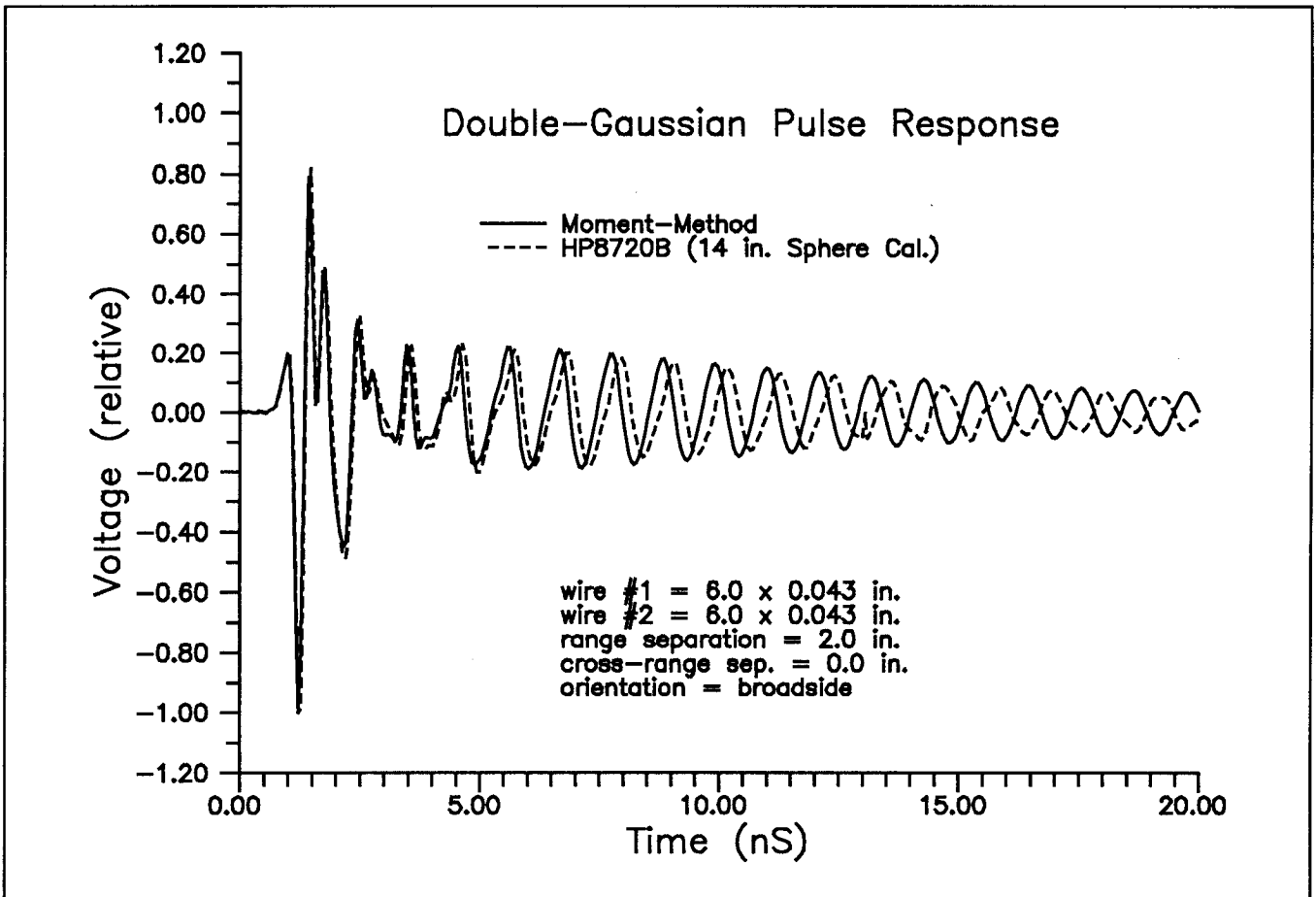
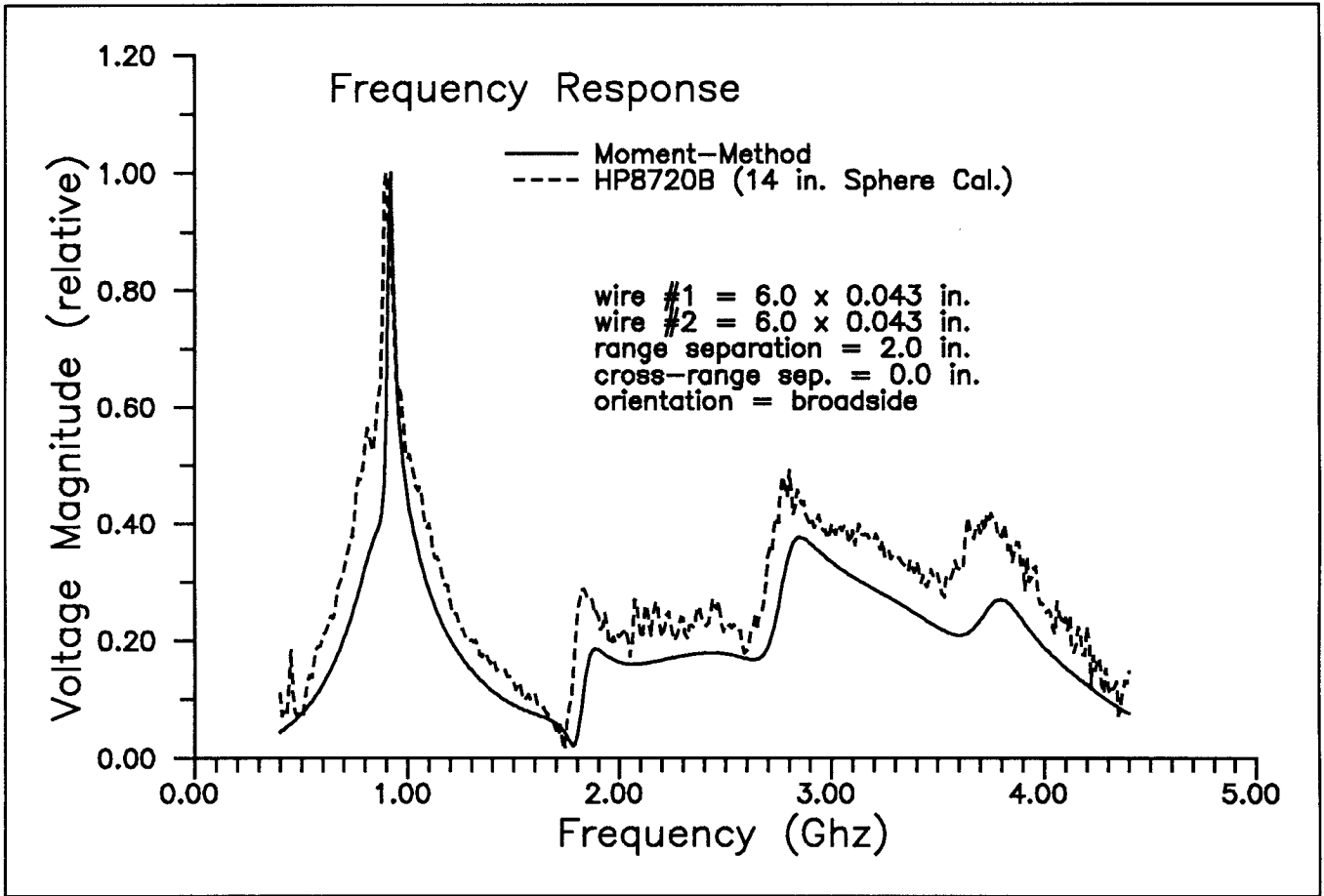


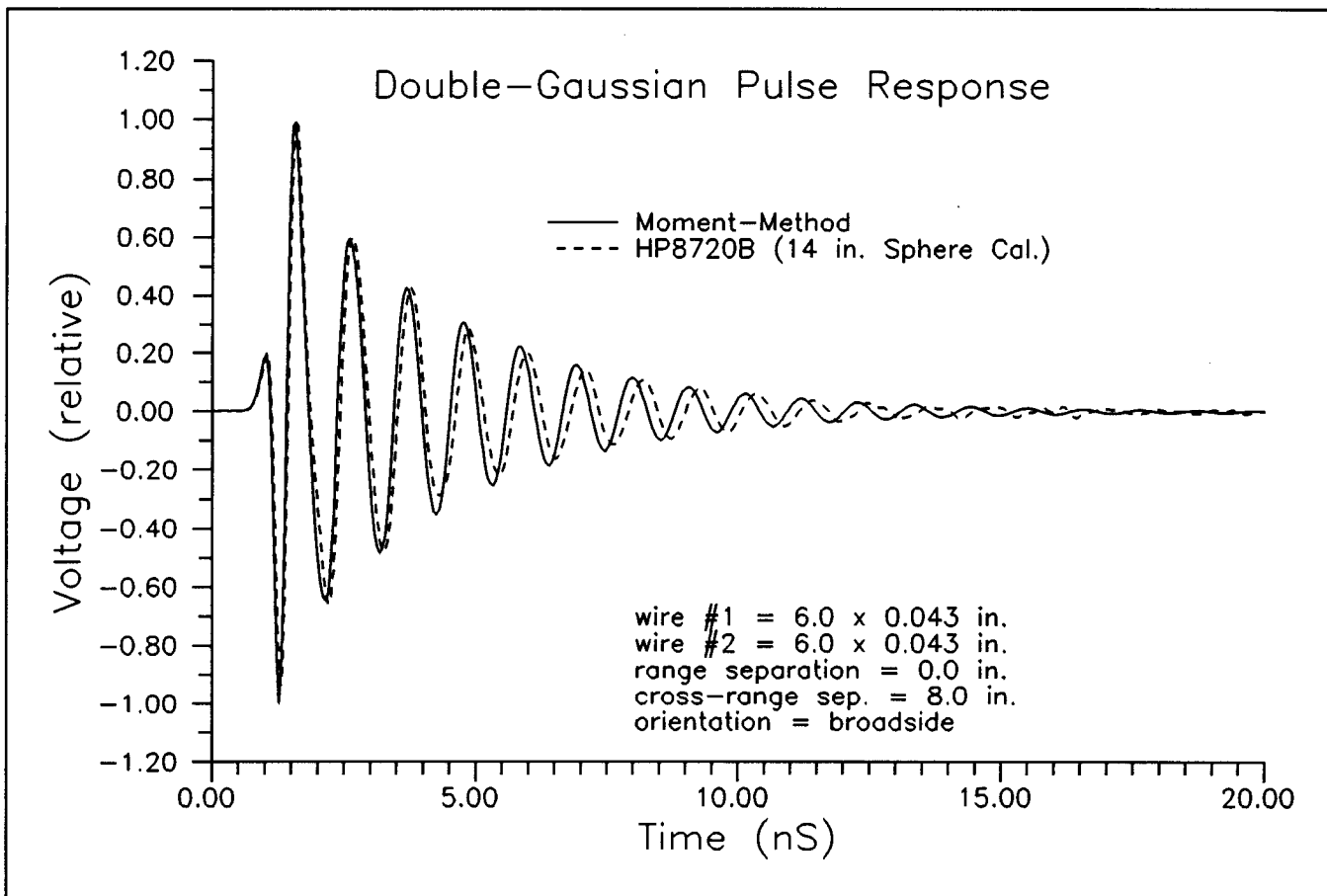
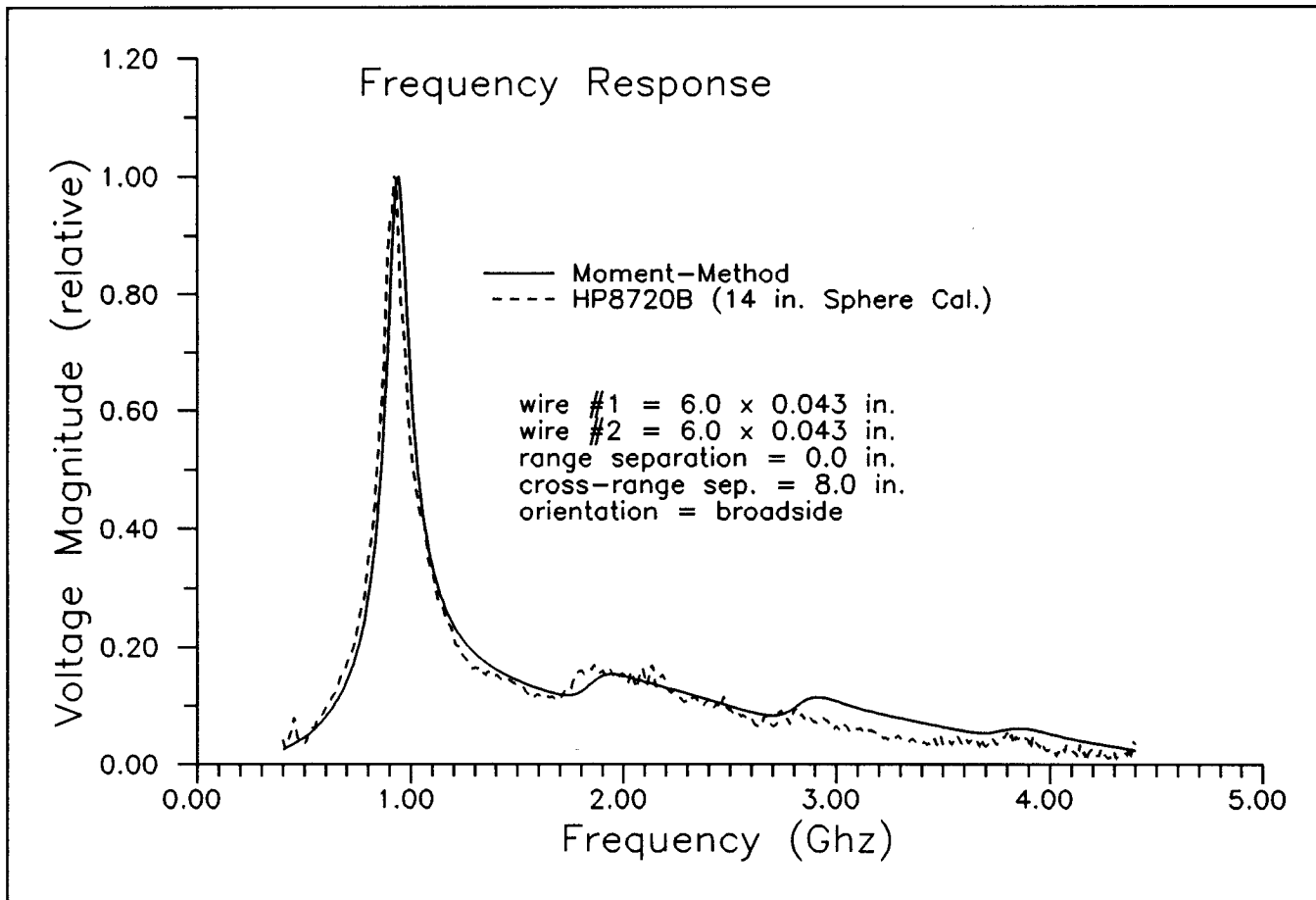


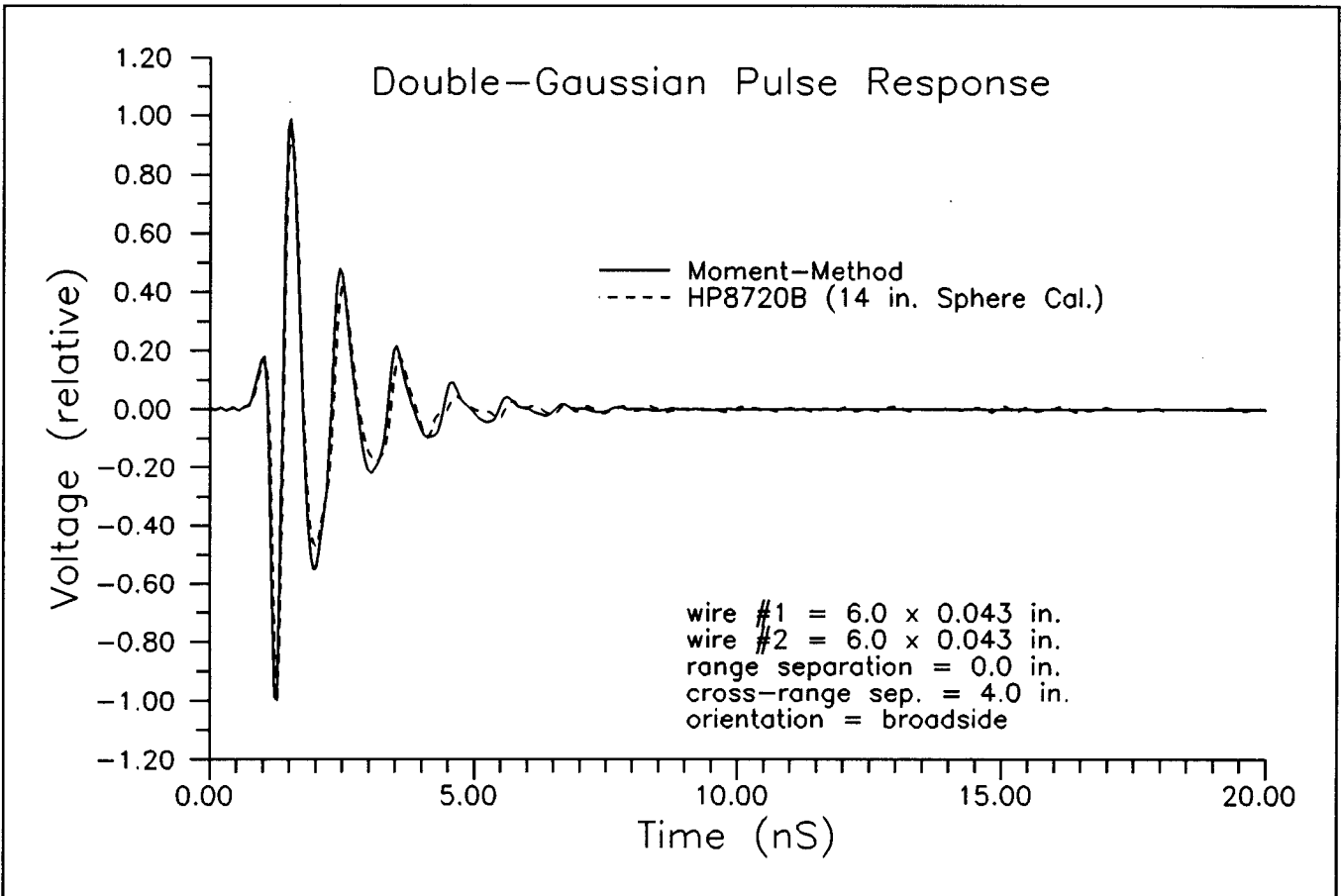
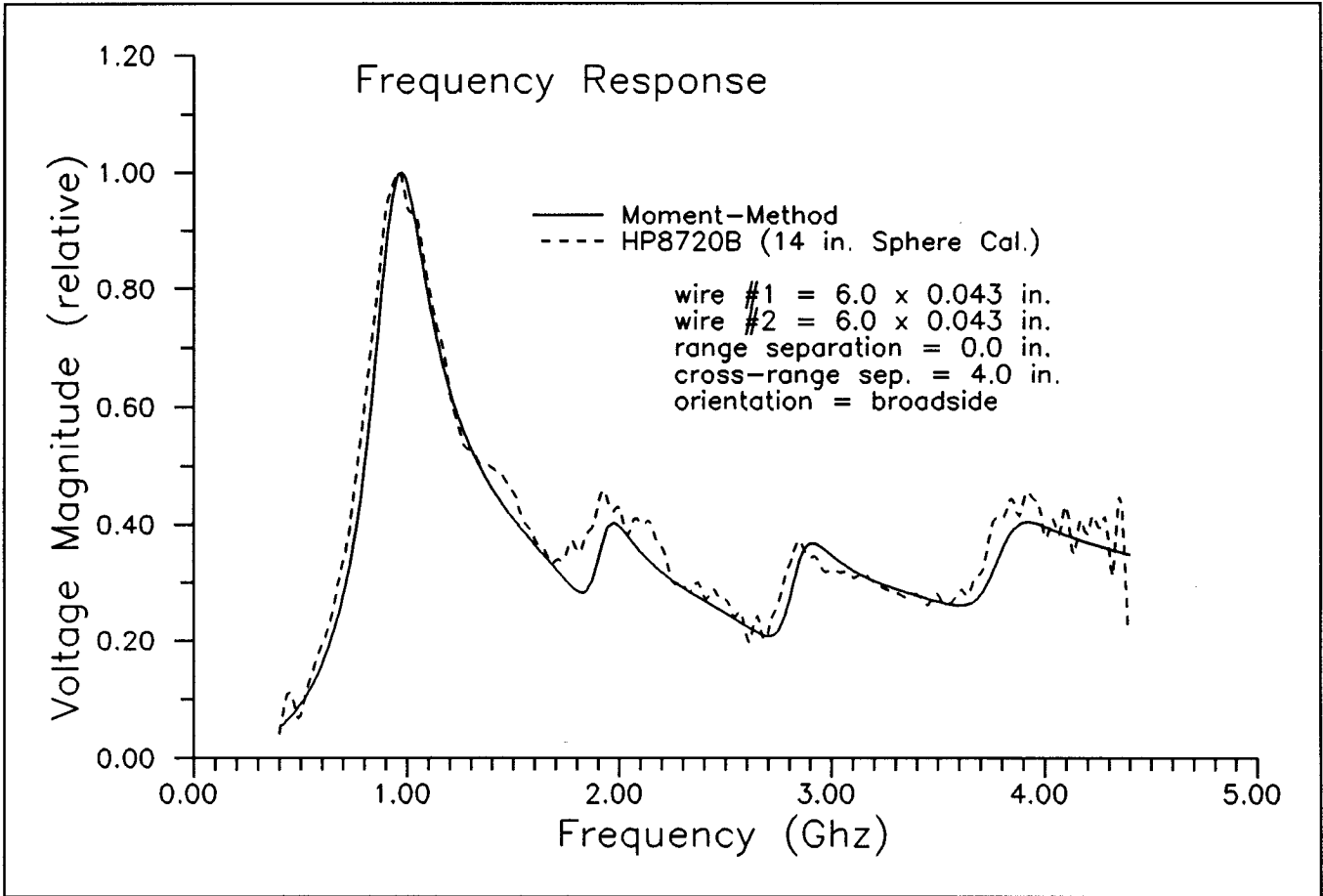
# **COUPLED WIRES**

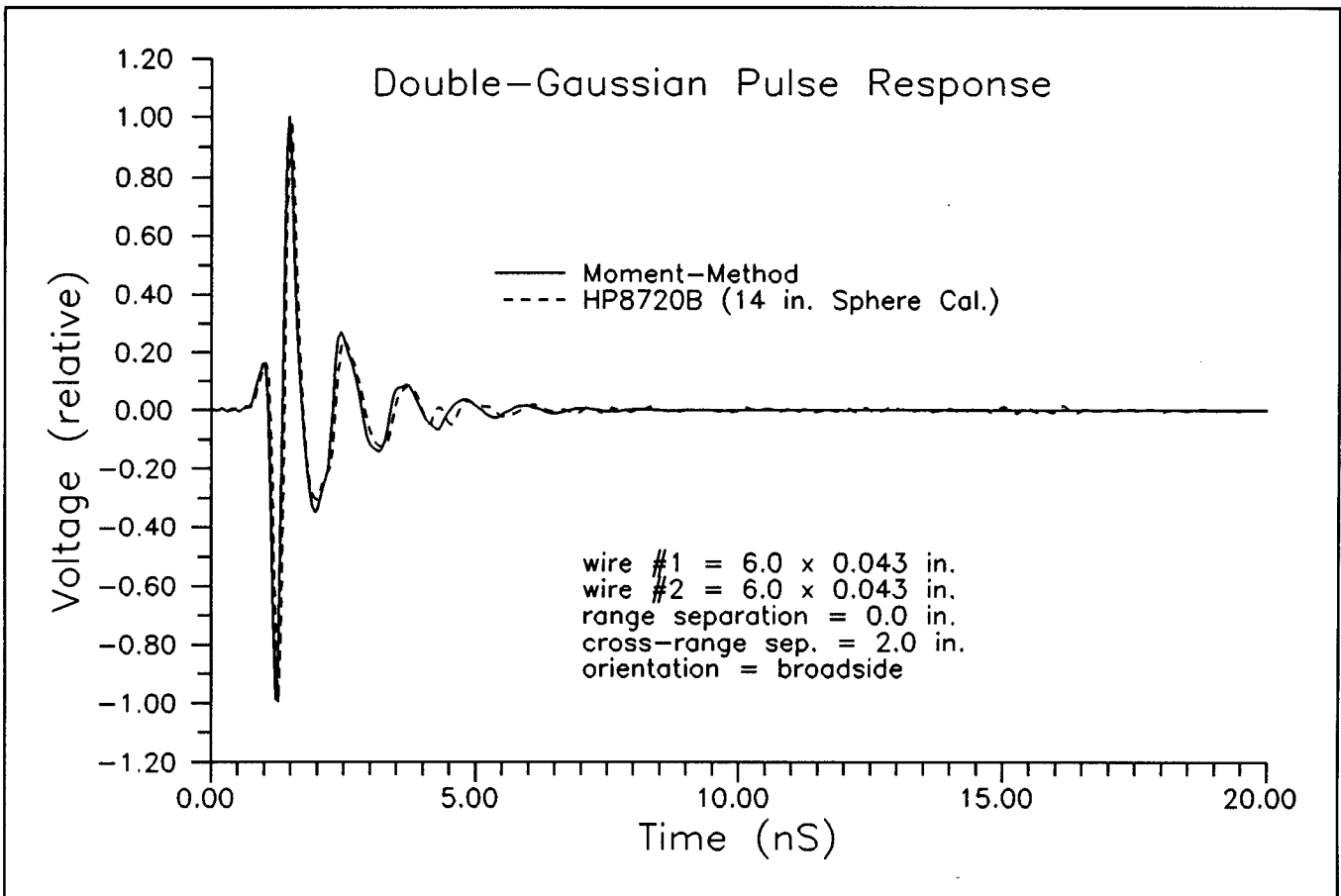
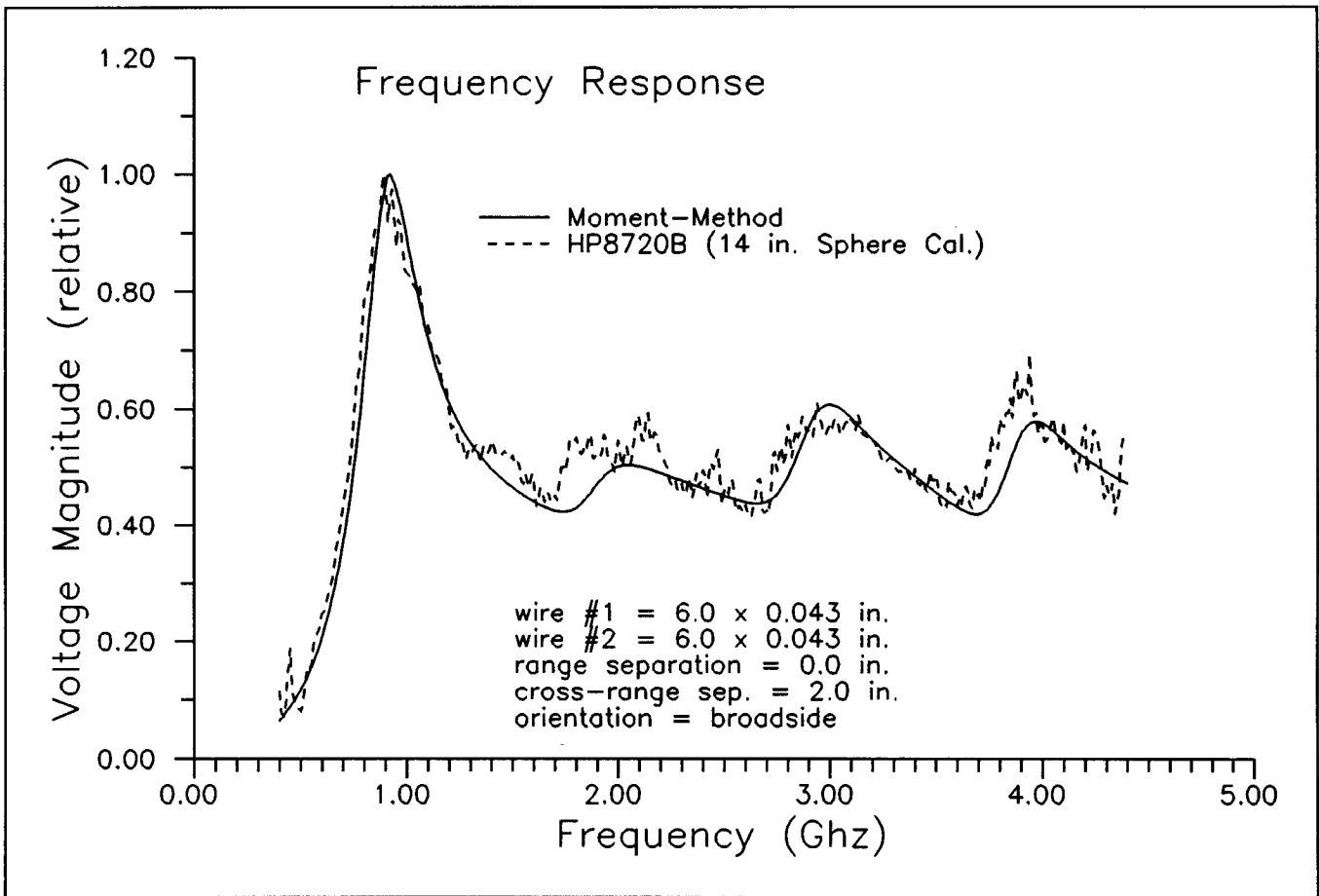




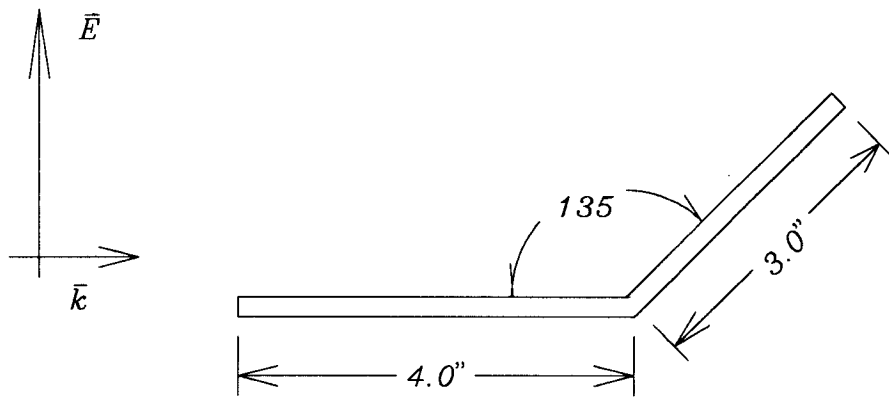


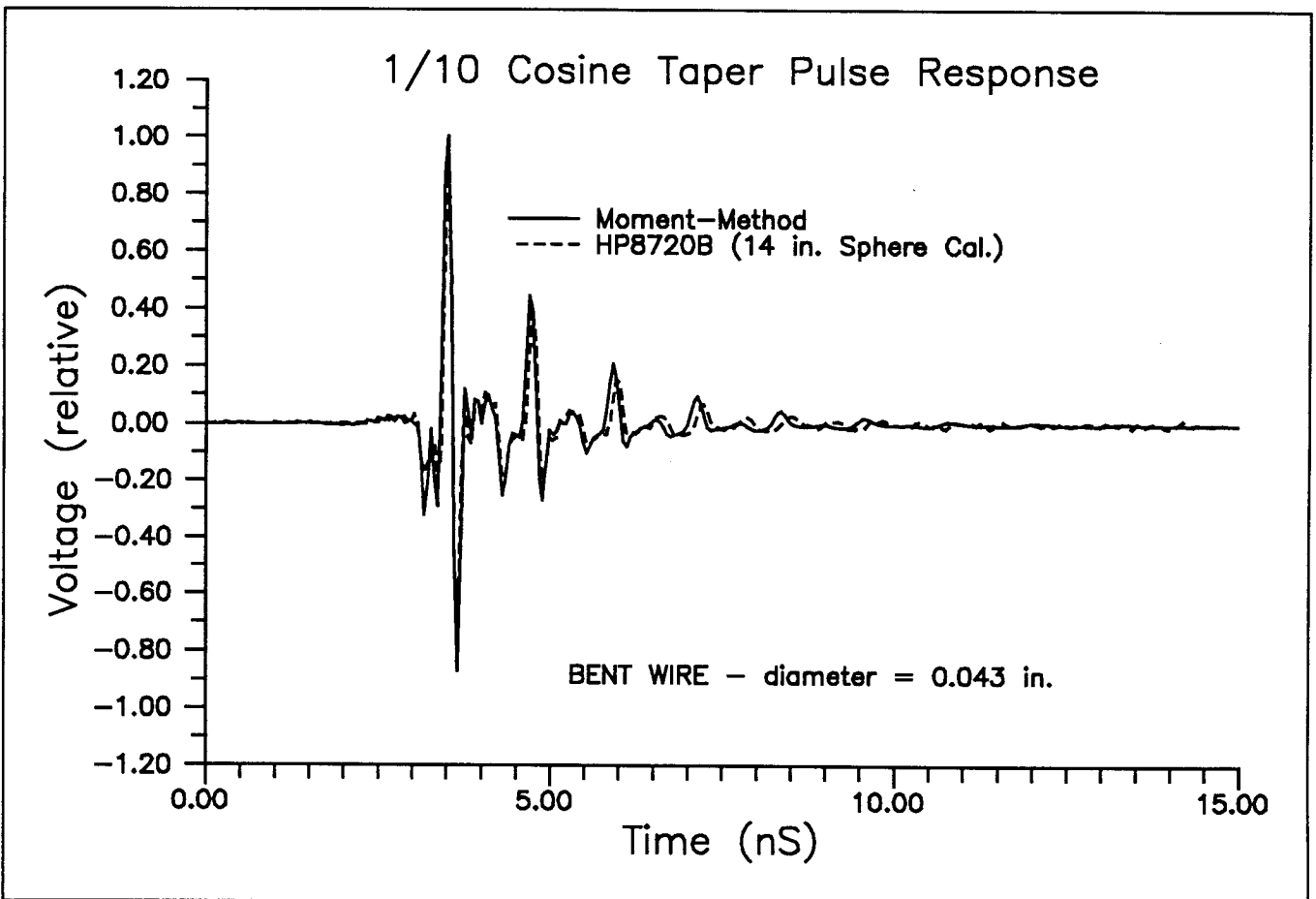
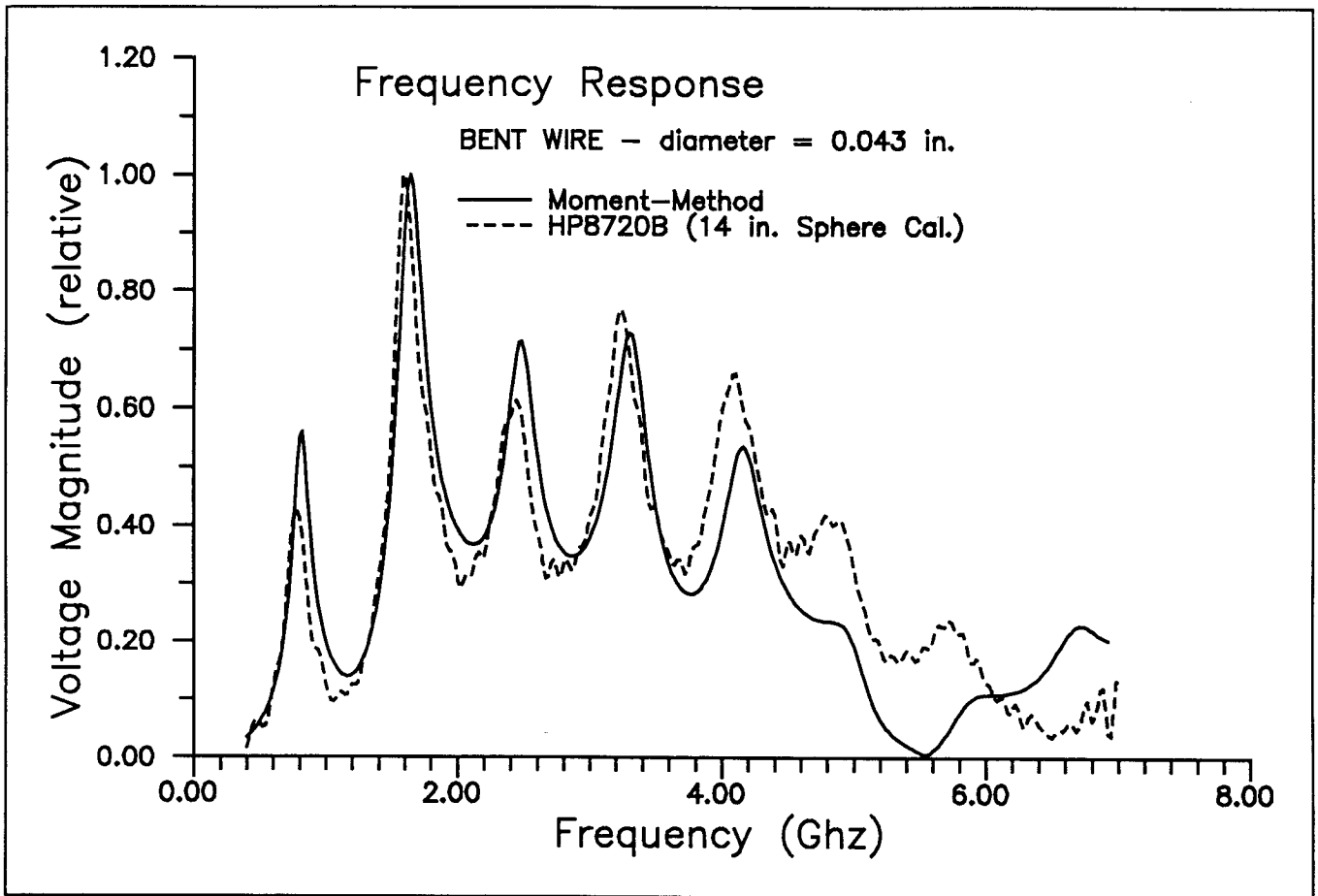




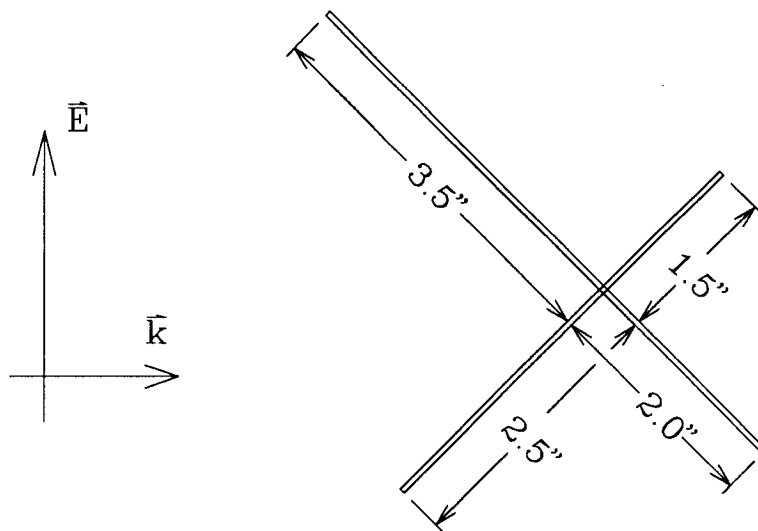


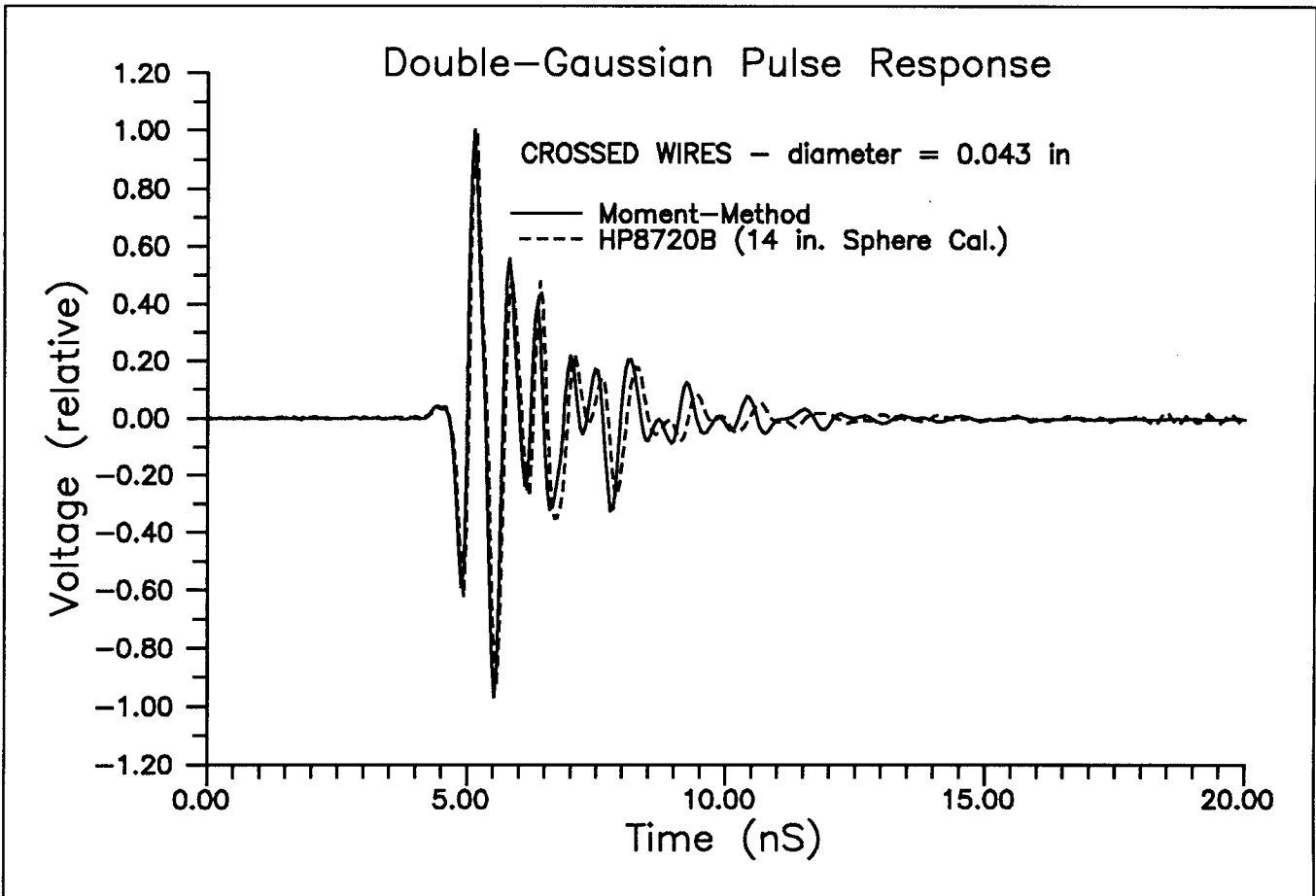
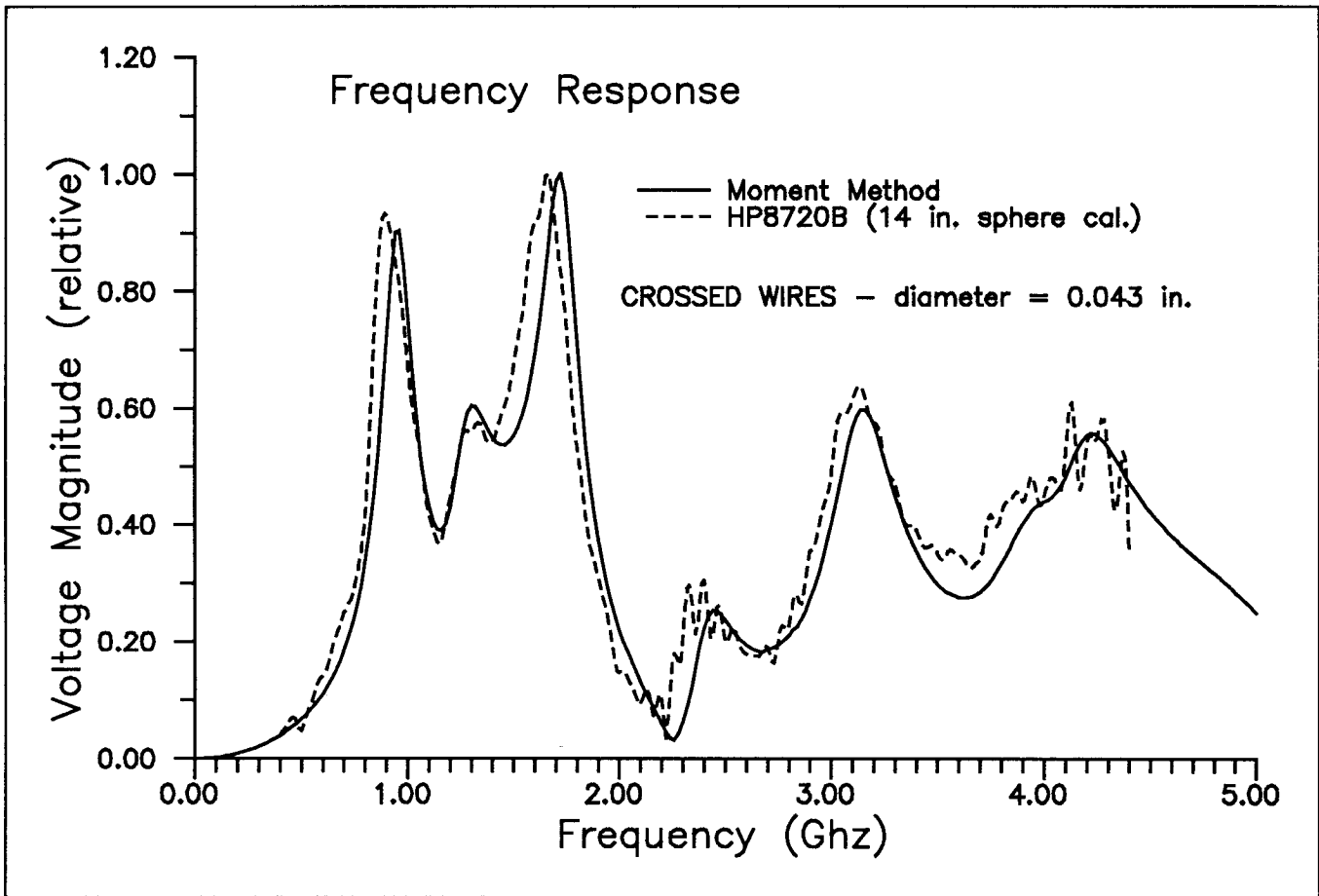
# BENT WIRE



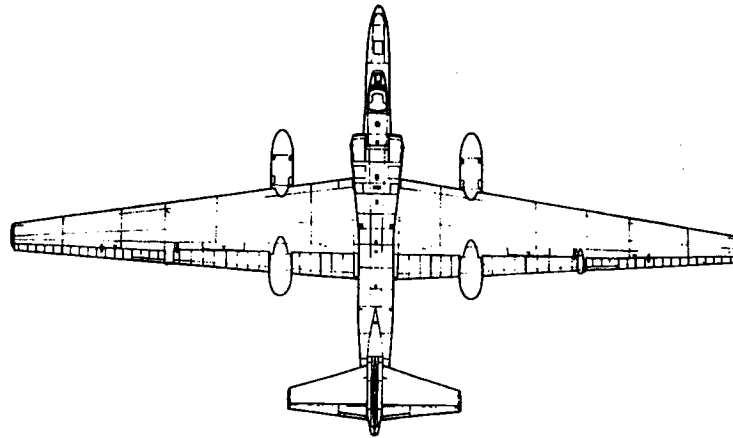


# CROSSED WIRES

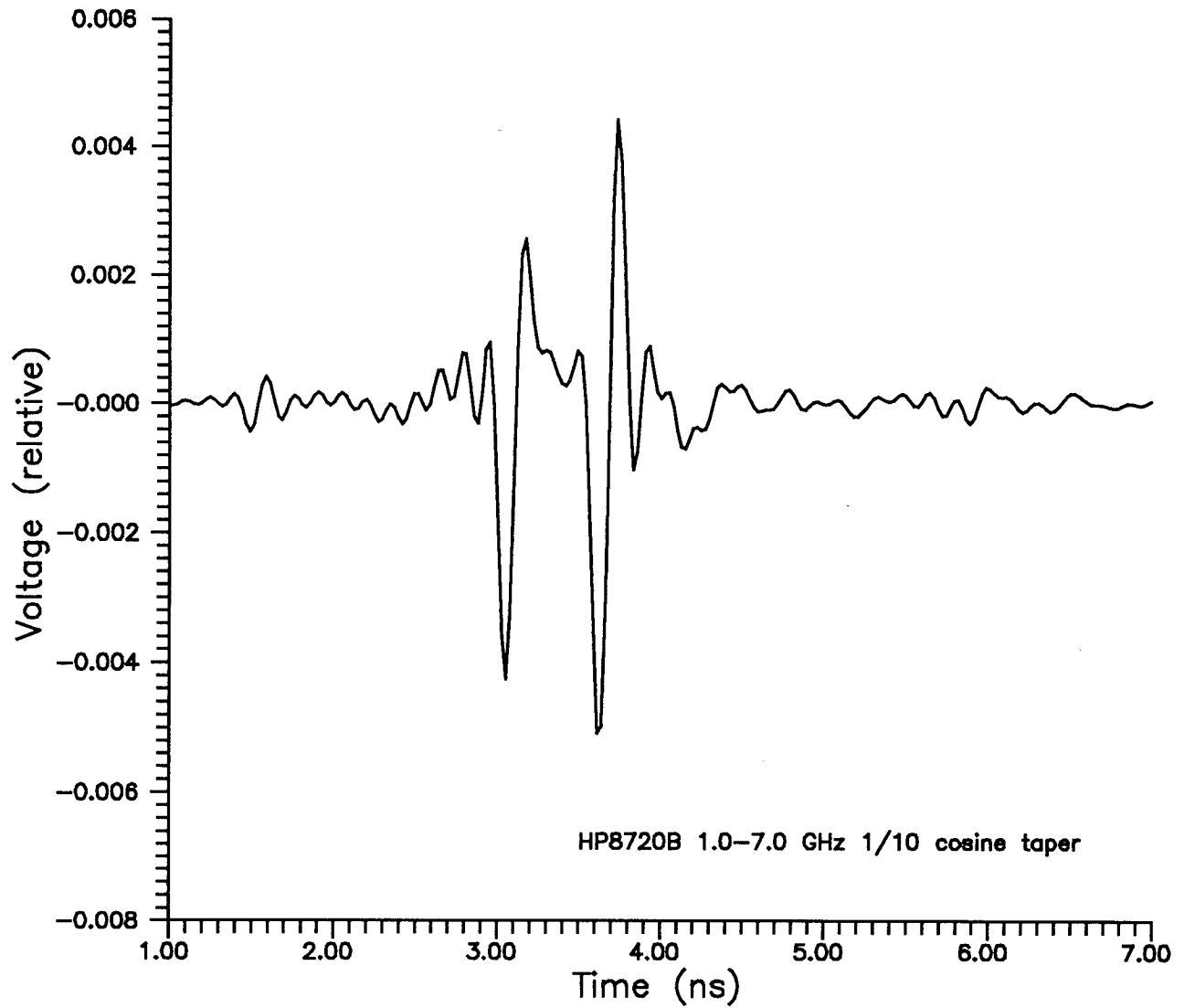




# **SCALE MODEL AIRCRAFT**



1/48 Scale LOCKHEED TR1 : Wing-on Incidence



## **Conclusions**

- Fourier Inversion of swept-frequency measurements is a good alternative to direct time domain measurements.
- Calibration significantly improves the quality of transient measurements.
- Both spheres and wires can be used as calibration targets with good results.
- Good agreement between theory and measurement for canonical targets gives confidence in measurement of complicated targets.
- Coupled wire measurements demonstrate excitation of different SEM system modes.

## **Future Improvements**

- Relocation of antennas for reduced direct coupling.
- Shorter and lower loss cables for extended bandwidth and higher signal-to-noise ratio.
- New antennas to extend high frequency range.